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Tsunami impact on a detached breakwater - insights from two numerical models

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ABSTRACT

Tsunami waves are often very energetic and therefore pose a significant threat to coastal structures. However, most coastal defenses such as detached breakwaters are designed to protect against storm waves, with the consequence that tsunamis often lead to a catastrophic failure of these structures. This numerical study was inspired by the wave scenario, which occurred at Soma Port in Japan, during the 2011 Tohoku Tsunami where a combination of tsunami-type waves and shorter period undular bores caused severe damage to a detached caisson breakwater. The objective herein is to analyze the role, which undular bores play on breakwater stability in the case of a tsunami

24 propagating over a gentle slope into shallow water. Two complementary wave models - one of
25 Boussinesq-type and the other of RANS-VOF-type - are used to compute the propagation of a
26 representative tsunami composed of multiple waves components and their impact on a detached
27 breakwater. The presence of an undular bore is controlled by the balance between wave nonlin-
28 earity and dispersion. Since the drawdown from the first wave reduces the water depth around the
29 breakwater and leaves the structure almost completely exposed, only the second wave transforms
30 into an undular bore. This causes wave breaking far offshore from the breakwater where a large
31 amount of energy is dissipated ultimately resulting in much less destructive wave impact at the
32 structure. The undular bore influences the wave loading on the breakwater, though the bulk of the
33 wave loads and the excessive bearing pressures were computed for the long-lasting overtopping
34 process of the first wave. These findings facilitate the damage assessment of detached breakwaters
35 as they relate some specific tsunami features to structural stability and failure mechanisms. The
36 results also provide information regarding the applicability and usefulness of different numerical
37 modeling approach for the analysis of the stability of detached breakwaters under tsunamis. For
38 this particular case, even depth-integrated numerical models provide conclusive solutions. To the
39 authors' knowledge, this is the first numerical study addressing breakwater stability with respect to
40 the impact of undular bores under tsunami conditions.

41 **INTRODUCTION**

42 The 2011 Tohoku Tsunami struck Japan in 2011 and caused severe damages to many offshore
43 vertical breakwaters ranging from erosion of rubble-mound to partial displacement and total col-
44 lapse of caissons. Several studies (Martin-Medina 2017, Mori and Takahashi 2012, Mikami et al.
45 2012) have shown that breakwater failure mechanisms were often related to the particular type of
46 tsunami wave that varied along the Japanese coast due to local bathymetric features. For instance,
47 the Iwate coast, which is characterized by deep water near the shore and steep bathymetric slopes,
48 was mainly impacted by tsunami surges - similar to a quickly rising tide - that lead to the failure
49 of the world's tallest breakwater at Kamaishi with a caisson height between 10 m and 15 m in a
50 water depth of up to 60 m. Contrary, in the shallow Sendai Bay, observations have shown that

51 breakwaters near harbor entrances were impacted by short wave trains resembling the phenomenon
52 of undular bores (see Fig. 2 in Murashima et al. 2012).

53 This study focuses on tsunami-like undular bore and their impact on coastal defenses. The
54 propagation of undular bores has been observed in many geophysical phenomena including tides
55 propagating in estuaries (Bonneton et al. 2015, Chanson 2010), dam-break flows (Treske 1994,
56 Soares Frazao and Zech 2002, Kim and Lynett 2010) and long waves such as tsunami propagating
57 in shallow waters (Matsuyama et al. 2007, Madsen et al. 2008). In the work presented in (Madsen
58 et al. 2008), that states the solitary wave paradigm for tsunamis, the authors highlighted that when a
59 long wave enters shallow water, its skewness and asymmetry increase. As the wave front steepens,
60 the flow near the wave crest becomes slightly supercritical. At this stage, there is a balance between
61 frequency dispersion and nonlinearity that can lead to the development of an undular bore. With
62 further shoaling, controlled by the local bathymetry, the bore undulations can form a train of
63 breaking waves that impact the coast and/or adjacent structures. Though the underlying tsunami
64 wave would rather behave like a quickly rising tide, the superposed undular bore appears to be
65 closer to swell or storm waves regarding their wavelength, steepness, and amplitude.

66 The effect of frequency dispersion on the generation of undular bores during the 1993 Southwest
67 Hokkaido tsunami, which occurred along the Okushiri island coast, has been shown experimentally
68 and numerically in (Sato 1996). The occurrence of tsunami-type undular bores, near the coast,
69 was also observed and documented in footage and photographs during the Indian Ocean Tsunami
70 in 2004 (Glimsdal et al. 2006, Horrillo et al. 2006, Grue et al. 2008, Arcas and Segur 2012) and
71 the Tohoku Tsunami (Murashima et al. 2012, Saito et al. 2014, Baba et al. 2015). In their studies,
72 (Glimsdal et al. 2006) and (Horrillo et al. 2006), pointed out that the increase of tsunami steepness in
73 shallow water contributed locally to the increase of dispersive effects, which lead to the generation
74 of undular bores at some locations during the Indian Ocean Tsunami. They also showed that
75 undular bores cannot be reproduced with conventional shallow water equations, and that non-linear
76 dispersive models are required to accurately describe the full tsunami transformation in nearshore
77 areas. In (Grue et al. 2008), the formation of undular bores in the shallow Strait of Malacca during

78 the Indian Ocean Tsunami of 2004 was numerically investigated using a fully nonlinear and fully
79 dispersive model, and a Korteweg-deVries model. Two different tsunami heights, the original one
80 and half of its height, were studied. The results of their study show that a wave train appeared in both
81 cases when the tsunami front reached a comparable wave slope of 0.0036 to 0.0038. The dominant
82 period of short waves in their numerical computations was observed to be slightly longer than 20
83 sec. In Sendai Bay, helicopter footage (see Fig. 2 in Murashima et al. 2012) shows a pronounced
84 undular bore arriving at the coast during the second wave of the Tohoku Tsunami. (Baba et al. 2015)
85 using a Boussinesq-type model computed the tsunami-induced inundation along the Sendai coast.
86 Their study confirmed that the computation of tsunami-like undular bores requires to account for the
87 balance between nonlinear and dispersive effects. They also showed that the maximum inundation
88 extents computed by dispersive models is slightly smaller than that by long-wave models based on
89 the Nonlinear Shallow Water Equations. According to their study, this latter type of model tends
90 to concentrate large portions of the total energy around the leading wave front. A comprehensive
91 study on the role of dispersion effects for several tsunami cases was conducted by (Glimsdal et al.
92 2013). Their work shows that the formation of undular bores can double the local tsunami height
93 before reaching the coast. These various studies suggest that an accurate description of tsunami
94 impact on coastal structures requires a precise description of the physical processes that govern the
95 tsunami transformation phase.

96 Tsunami loading on coastal structures has been investigated through both laboratory experiments
97 (Cross 1967, Ramsden 1996, Asakura et al. 2003, Ikeno et al. 2007, Nouri et al. 2010, Guler et al.
98 2015, Kihara et al. 2015) and numerical studies (Arikawa et al. 2012, Jianhong et al. 2013, McCabe
99 et al. 2014, among others). Most of the numerical work is based on solutions from Navier-Stokes
100 models describing the complexity of the interaction processes between fluid and structures. For
101 instance, (Arikawa et al. 2012) used a realistic waveform of the Tohoku Tsunami as input for
102 the Reynolds Averaged Navier-Stokes (RANS) CADMAS-SURF/3D model in order to study the
103 particular failure mechanisms of the Kamaishi breakwater. In their study, they concluded that
104 the breakwater failure was mainly caused by the difference in water level to either side of the

105 breakwater and scouring around its foundation. Solitary waves were used in (Hsiao and Lin 2010)
106 to represent tsunami waves impinging a coastal structures. They applied a RANS model to study
107 wave transformation processes and forces acting on a seawall for three different solitary wave
108 impacts: case (a) where the solitary wave breaks before arriving at the seawall, case (b) where
109 the wave collapses directly into the seawall and a last case (c) where the wave only breaks after
110 it has overtopped the seawall. In (Jianhong et al. 2013), a Volume Averaged Reynolds Averaged
111 Navier-Stokes (VARANS) model, coupled with a Biot model, was used to investigate tsunami
112 impacts on a vertical breakwater including interaction between free surface flow and runoff in the
113 porous structure and the soil. This approach allows to compute pressure fields on the caisson,
114 the rubble-mound, and the seabed. In this study, solitary waves were also used to represent the
115 tsunami. (Jiang et al. 2016) carried out small-scale laboratory experiments of tsunami-like solitary
116 waves impacting a rectangular seawall that were used to validate the model OpenFOAM solving the
117 RANS equations. The validated model was then used to conduct a series of numerical experiments
118 to investigate the flow field and wave pressures in dependence of the seawall dimensions and wave
119 height. While most of the previously cited numerical studies on tsunami impact use solitary waves
120 to represent the tsunami, their results should be interpreted with caution (Madsen et al. 2008).
121 Indeed, the solitary wave approach is not strictly suitable to study storm wave impacts or single
122 undulations traveling on top of tsunami like undular bores.

123 Previous studies have shown that undular bores can originate during the propagation of a
124 tsunami depending on the local bathymetry. The contribution of these undulations to the runup
125 envelop was demonstrated to be rather small compared to the influence of the main underlying
126 tsunami. However, it is still unclear what role an undular bore can play with respect to the failure of
127 breakwaters during the Indian Ocean Tsunami in 2004 and the Tohoku Tsunami in 2011. This study
128 aims to address the influence of undular bores on breakwater stability through numerical solutions
129 of a hypothetical tsunami case inspired by video observations taken at Soma Port at the southern
130 end of Sendai Bay. The detached breakwater at Soma Port was originally designed to protect the
131 port facilities from storm waves - tsunamis were not taken into account during the design process.

132 The objective here is to identify the overall contribution of undular bores on the breakwater stability,
133 rather than the exact reproduction of the wave processes at Soma Port. Therefore, the problem is
134 reduced to a one-dimensional transect representing the main bathymetry features and the geometry
135 of the detached Soma breakwater. The computed tsunami is composed of two waves as measured
136 by a GPS buoy off Sendai Bay during the Tohoku Tsunami. Two complementary wave models,
137 a Boussinesq-type and a RANS models, are used to compute the wave envelope's transformation
138 and its impact on the breakwater. Horizontal forces and moments exerted on an idealized caisson
139 breakwater are then computed for each wave to assess the caisson's stability under different loading
140 conditions. The results are then analyzed and discussed.

141 **METHODOLOGY**

142 **Model Of Tsunami Propagation**

143 *Model description*

144 The propagation of tsunami-type waves and their transformation into undular bores are computed
145 with the phase-resolving Boussinesq-type model BOSZ (Boussinesq Ocean & Surf Zone model).
146 The model was developed for the computation of nearshore waves, wave-driven currents, infra-
147 gravity oscillations, ship wakes waves, near-field tsunamis and boulder/sediment transport (see for
148 example Roeber et al. 2010a, Roeber and Cheung 2012, Roeber and Bricker 2015, Li et al. 2018,
149 David et al. 2017). The governing equations are based on a conserved variable formulation of the
150 popular equations by (Nwogu 1993). The solution structure covers the Nonlinear Shallow Water
151 Equations (NSWE) as a subset of the governing equations with a Finite Volume scheme based
152 on a Total Variation Diminishing (TVD) reconstruction method of up to 5^{th} order and a HLLC
153 Riemann solver. This ensures robust and accurate computations of fast flows over irregular terrain
154 including wet/dry boundaries. The frequency dispersion terms are based on a central-differential
155 Finite Difference scheme. The time integration is carried out with Runge-Kutta schemes of up
156 to 4^{th} order and adaptive time stepping. For most applications such as the present study, a 2^{nd}
157 order time integration leads to converging results. Due to the presence of space-time derivatives
158 of the evolution variables in the momentum equations, a system of equations have to be solved

159 to extract the flow speed at the end of each time step in each of the momentum equations. The
160 two systems are independent from each other with arising data-dependencies in only the X or the
161 Y-direction, respectively, which facilitates parallel computation on supercomputers. In the 2DH
162 horizontal plane, the X-direction is cross-shore and normal to the wavemaker and the Y-direction
163 refers to the longshore orientation. Obviously, in a 1DH setting, where the computation is carried
164 out along only one transect of cells, the problem reduces to only the X-direction.

165 Coastal structures are considered part of the impermeable bathymetry. The wave shape is input
166 from the left boundary as a time series of free surface elevation. The flow velocity is based on
167 long-wave assumptions according to the changes in water level at the boundary. This allows for
168 near-perfect replication of the tsunami input conditions.

169 Wave breaking is a challenging problem for dispersive depth-integrated models. As the free
170 surface steepens, nonlinearity increases, which is consequently balanced by the frequency dispersion
171 terms. With no dissipative terms, the governing equations of Boussinesq-type and non-hydrostatic
172 models do not explicitly hold for flow discontinuities present at the leading edge of breaking waves
173 or bores. Conveniently, the numerical solution can still provide physically meaningful results,
174 if the potentially arising artifacts (in extreme cases even instabilities) near the wave front are
175 counter-measured or avoided. BOSZ restricts the development of overshoots through local and
176 momentary deactivation of the dispersion terms over a few grid cells along the breaking wave front.
177 The deactivation can be based on a momentum gradient threshold, i.e. a dynamic criterion, or
178 a kinematic criterion based on a local free surface Froude number value, which is employed in
179 this study. There are multiple methods to define the onset of breaking and most numerical codes
180 are rather insensitive to the choice of criterion. The wave breaking problem become challenging,
181 however, with a reduction of grid size.

182 Assuming quasi-hydrostatic flow conditions near the wave breaking front, the contribution of
183 the dispersion terms in the governing equations is ignored momentarily in every cell where the
184 Froude number (Fr) at the free surface exceeds 1.0. To provide a transitional regime, the magnitude
185 of the dispersion terms is reduced from 100 % to 0 % for the range between $0.85 < Fr < 1.0$, which

186 was determined based on the results from the following validation case. The Froude number is
 187 calculated as $Fr = \sqrt{u_z^2 + v_z^2} / \sqrt{g(h + \eta)}$, where u_z and v_z denote the horizontal velocities in X and
 188 Y-direction, respectively, and h the local water depth and η the free surface elevation. Obviously,
 189 for 1D horizontal computations, the y -component is irrelevant.

190 In Nwogu's equation (Nwogu 1993), the flow velocity at any level in depth can be reconstructed
 191 through the prescribed velocity profile embedded in the governing equations. The velocity potential
 192 is expanded as a Taylor-series in the vertical coordinate, z . The approximation for frequency
 193 dispersion results from the truncation of the series at second-order, which leads to a quadratic
 194 variation for the horizontal velocity over depth, and a linear variation for the vertical velocity. With
 195 $z = \eta$, the free surface velocity is given by

$$u_z = u_{z_\alpha} + \frac{1}{2}(z_\alpha^2 - z^2)[(u_{z_\alpha})_{xx} + (v_{z_\alpha})_{xy}] + (z_\alpha - z)[(hu_{z_\alpha})_{xx} + (hv_{z_\alpha})_{xy}]$$

(1)

$$v_z = v_{z_\alpha} + \frac{1}{2}(z_\alpha^2 - z^2)[(u_{z_\alpha})_{xy} + (v_{z_\alpha})_{yy}] + (z_\alpha - z)[(hu_{z_\alpha})_{xy} + (hv_{z_\alpha})_{yy}]$$

197 The reduction of (Eq. 1) for 1D problems is trivial. It should be noted that z_α is the reference depth
 198 at which the horizontal velocities are evaluated. The position in the water column, $z_\alpha = -0.55502h$
 199 was suggested by (Simarro et al. 2013) and optimized for linear and nonlinear performance. Bottom
 200 friction is accounted for through a drag term based on the Manning coefficient. Though the code
 201 allows for a different Manning coefficient in each grid cell, a uniform value of $0.02 \text{ s/m}^{1/3}$ was
 202 chosen for this study following the results of a sensitivity analysis carried out with values ranging
 203 between 0 and $0.05 \text{ s/m}^{1/3}$. The selected value is consistent with the value used in the numerical
 204 study of (Baba et al. 2015), which also investigates the Tohoku tsunami propagation in the Sendai
 205 bay.

206 *Validation case*

207 The ability of BOSZ to compute the development of undular bores is tested with the laboratory
 208 experiments presented in (Matsuyama et al. 2007). This benchmarking test was also used for
 209 numerical validations in (Kim and Lynett 2010) and (Grilli et al. 2012). The test is well suited to

210 analyze the capacity of a wave model to compute the propagation of long sinusoidal waves over
211 shallow waters and their transformation into undular bores. The experiment was performed in a
212 large wave flume of 205 m length, 3.4 m width and 4 m depth. The results of case 024 are used to
213 validate BOSZ. This particular case is based on an incident wave with 0.03 m amplitude and 20 s
214 period, propagating over a 1/200 slope representing a continental shelf. The upstream boundary of
215 the numerical domain is lined up with the wave gauge located at $x = 80$ m in the physical wavetank
216 (Fig.3 in Matsuyama et al. 2007). The total length of the numerical domain from the upstream
217 boundary to the end of the continental shelf is set to the same dimensions as the physical model.
218 The free surface measured at the wave gauge is prescribed at the wave boundary in BOSZ. The grid
219 size of the computational domain was set to 0.05 m.

220 The free surface elevations obtained with the laboratory experiments and BOSZ are compared at
221 two different locations (see first graph in Fig.1) in Fig.2. At $x = 30$ m from the shoreline, the model
222 accurately reproduces the two undulations atop of the first wave, but the wave phase is slightly
223 ahead compared to the laboratory experiments. For the second wave, the phase shift is reduced and
224 the computed wave train agrees reasonably well with the experimental data. BOSZ then properly
225 computes the undular bore formation and the propagation of the undulations, even though small
226 amplitude differences are observed (≈ 1 cm). The number and period of the undulations are well
227 reproduced. Closer to shore ($x = 49.2$ m), the BOSZ model computes the amplitude increase of
228 the undulations of the first wave. The subsequent bore moves slightly slower than in the laboratory
229 experiment. At this location, the height of the second undular bore ($\eta = 0.05$ m) decreases with
230 respect to the offshore location ($\eta = 0.08$ m). This transformation is well modeled by BOSZ despite
231 slight discrepancies in the amplitude and period of short waves.

232 Overall, this particular validation case shows that the generation and the subsequent evolution
233 of undular bores from long waves can be generally computed by phase-resolving models such as
234 BOSZ. The small discrepancies might be associated with the appropriateness of the input signal,
235 which still remains unknown to some extent.

Model Of Tsunami Impact On Detached Breakwater

The detailed interaction between the tsunami and the breakwater, represented by a porous media, is computed with the THETIS model that solves the RANS (Reynolds-Averaged Navier–Stokes) equations with a Volume Of Fluid (VOF) method to capture the interface evolution. THETIS was chosen to account for both the flow through the rubble mound breakwater and the uplift force induced under a caisson breakwater. The flow is considered incompressible and the continuity of fluid velocity is assumed through the interface. The turbulent flow terms are computed with the $k - \epsilon$ model, which was already chosen in similar previous studies (Nakayama and Kuwahara 1999, Hsu et al. 2002, del Jesus et al. 2012).

The Navier-Stokes equations are discretized on a fixed Cartesian grid using a finite volume formulation. Following (Patankar 1980), the finite volume formulation is then solved using a staggered mesh known as the Marker And Cells (MAC) method from (Harlow and Welch 1965). The coupling between velocity and pressure is solved using the augmented Lagrangian method (Fortin and Glowinski 1982). This is a minimization method under the constraint of the continuity equation, where the pressure, which is decoupled from the velocity, appears as a Lagrangian multiplier. THETIS has been modified by (Desombre et al. 2012) to model multiphase flows (water and air) inside porous mediums. The flow computation in the porous medium, considered as homogeneous, isotropic and immobile, is based on the Forchheimer equation that is an extension of the Darcy equation.

Several studies (Desombre et al. 2012, Mokrani and Abadie 2016, Kazolea et al. 2019, Martin-Medina et al. 2018) have shown an extensive validation of THETIS for the computations of wave propagation and impact on coastal structures. Of particular interest for this paper is the validation presented in (Martin-Medina et al. 2017) to model wave impacts on a porous composite breakwater.

Numerical Study Case Based On The Soma Breakwater

Set-up of the tsunami propagation model-BOSZ

The study case is a synthetic scenario inspired by the Soma breakwater that was strongly damaged during the Tohoku Tsunami in 2011. Eyewitnesses have testified that undular bores

263 have impinged on the breakwater during the arrival of the second wave that is consist with the
264 helicopter footage taken over Sendai Bay at other location (see Fig. 2 in Murashima et al. 2012).
265 Therefore, our semi-idealized case is of particular interest for studying not only the interaction
266 between tsunami waves and local bathymetry where undular bores can originate, but also for
267 investigating the breakwater stability for two different wave loading conditions.

268 In this study, a 1-D profile representing the geometry of the detached breakwater of Soma Port
269 and the bathymetry off the port to a depth of 140 m (profile A-B in Fig.3(a)) is used to study the
270 transformation of tsunamis and their impact on a detached caisson breakwater, which was built
271 in intermediate water depth to protect against storm waves. The computational domain is 62 km
272 long and composed of a grid with 10 m resolution, which is fine enough to properly reproduce the
273 wavelength of the individual wave components of an undular bore. The bathymetry is displayed
274 in Fig.3(b). The tsunami signal recorded by the GPS801 buoy (Fig.3(c)), which is the only GPS
275 buoy off the Sendai Bay is imposed at the offshore boundary of the computational domain. The
276 initial water level is set to -0.16 m (relative to the mean water level), corresponding to the tidal
277 level when the tsunami signal was recorded. The period and amplitude (a_i) of the first wave are
278 approximately 20 min and 6 m, respectively. After the first wave, there is a significant water level
279 drop of -5 m, followed by the arrival of the second wave with a height of 5 m. Since the incident
280 tsunami velocity imposed at the offshore boundary of the computational domain is not available
281 from GPS buoy measurements, it is estimated using the shallow water approximation based on Airy
282 wave theory, which relates the tsunami speed to only the local water depth. This approximation is
283 confirmed by the study of (Baba et al. 2015), in which the tsunami wave forms determined from
284 this buoy are compared to a Non Linear Shallow Water model and a Boussinesq-type model. The
285 study reveals no discrepancies between the two wave models suggesting that the local effects of
286 frequency dispersion were negligible at this particular water depth.

287 The computations of the entire tsunami propagation (nearly two hours) with BOSZ take almost
288 10 minutes on one Intel® Core™ i7-5600U CPU @ 2.60GHz × 4 (8 Go RAM).

289 *Set-up of the tsunami impact model-THETIS*

290 The detailed computation of the wave-structure interaction is modeled using a one-way coupled
291 approach. The extent of the tsunami impact model was reduced to a length of 4.5km to focus the
292 simulation on the wave arrival in the near-shore area and its interaction with the offshore breakwater.
293 The set-up of the THETIS model and a zoom on the vertical breakwater geometry, a 1D profile,
294 are displayed in Fig.4. The numerical domain is discretized in 439501 elements over an irregular
295 mesh refined to a minimum at the breakwater of 20 cm in the horizontal and vertical directions.
296 The water level and the velocity time series computed with the BOSZ model are used as input at
297 the left boundary and an open boundary condition is imposed on the right side.

298 Initial tests showed that if the first and the second wave are modeled sequentially, numerical
299 instabilities appear at the left boundary when the first reflected wave reaches this location because
300 of the one-way coupling approach. As a workaround, THETIS was run separately for the first and
301 second wave. The computation from BOSZ shows that the second wave occurred around $t = 4400$
302 s. At that time, a strong return flow induced by the draw-down of the first wave has set in and the
303 undular bore of the second wave has well developed (see Fig.5 and Fig.6). The initial water level
304 on each side of the breakwater corresponds to the free surface elevation given by BOSZ at the end
305 of the first wave, which is -6.5 m on the offshore and -1.5 m on the lee side of the breakwater.
306 This set-up simplifies the interaction between the two waves but it retains the most relevant wave
307 process, such as the draw-down flow.

308 Comparisons between free surface elevations computed with BOSZ and THETIS (see Fig. 3.14
309 and Fig. 3.15 in Martin-Medina 2017) reveal that the shape and velocity of the first wave are very
310 similar. The maximum wave height computed with BOSZ at $t = 3500$ s reaches 14.5 m and 15 m for
311 THETIS. Some differences appear only during the second wave propagation once the undular bore
312 has developed, breaking of the two first undulations occurring earlier in THETIS than in BOSZ.
313 However, it is worth to note that after the impact of the leading short waves, the two models are in
314 good agreement to simulate the arrival and reflection of the second wave body at 4900 s and 5000
315 s, respectively.

316 The computations of the interaction between the two waves and the breakwater with THETIS
317 take nearly 10 days on 8 cores (DELL™ PowerEdge™ C6100).

318 **Results Analysis**

319 *Determination of undular bore characteristics*

320 The BOSZ results are first used to study the processes controlling the evolution of a long wave
321 into an undular bore during the tsunami propagation. The analysis is based on the computation of
322 the evolution of the maximum free surface slope (α_m) at the wave front and the Froude number
323 (Fr) during the wave propagation from offshore until the first undulation appears. The maximum
324 free surface slope represents the maximum local wave steepness of the wave front at any given
325 time. (Grue et al. 2008) and (Bonneton et al. 2015) used this parameter to investigate the moment,
326 at which an undular bore appears when a long wave such as a tsunami or tidal wave propagates
327 into shallow coastal waters. The increase of the maximum free surface slope is linked to the
328 transition between the wave regime and the undular bore regime. As concluded in (Grue et al.
329 2008) and (Bonneton et al. 2015), undulations start to generate when a threshold of free surface
330 gradient is passed. The Froude number of the front, also used in (Bonneton et al. 2015), allows for
331 characterization of the bore intensity and flow regime. These parameters are defined as follows:

$$332 \alpha_m = \frac{(\frac{\delta\eta}{\delta t})_{max}}{c_b} = \max(\frac{\delta\eta}{\delta x}) \quad (2)$$

$$333 Fr = \frac{|u_0 - c_b|}{\sqrt{gh_0}} \quad (3)$$

334 where u_0 is the average fluid velocity before the bore arrives, c_b the bore celerity, h_0 the water
335 depth at the wave front and η the free surface height.

336 For the numerical computations presented in the paper, the maximum wave slope is the maxi-
337 mum calculated at every point between the wave front (where the free surface height passes 1 % of
338 the tsunami body height) and the wave crest. The Froude number refers to the tsunami front.

339 *Computation of wave loading and caisson stability*

340 The analysis of the stability of the caisson breakwater exposed to hydrodynamic loading is
341 computed from the THETIS results for each wave. This analysis is first performed based on the
342 computation of a safety factor against sliding (S.F.) defined by :

$$343 \quad S.F. = \frac{\mu W_e}{F_h - F_{h,harbour}} \quad (4)$$

344 where μ refers to a friction coefficient representing the friction between the caisson and the
345 porous foundation of the breakwater. W_e denotes the effective weight of the caisson. The symbols
346 F_h and $F_{h,harbour}$ refer to the forces acting on the left and right side of the caisson, respectively.
347 Following (Goda 2010), the friction coefficient μ was set to 0.6. The effective weight of the caisson
348 W_e is given by :

$$349 \quad W_e = W - F_u \quad (5)$$

350 where W denotes the weight of the caisson equal to $5290kN$ and F_u the uplift force acting on
351 the bottom of the caisson. All forces are computed according to:

$$352 \quad F = \sum P_j A_j \quad (6)$$

353 in which P_j is the pressure acting on the j^{th} cell of area A_j .

354 The forces are then used to compute the moments about the heel of the caisson namely, the
355 horizontal overturning moments, M_h and $M_{h,harbour}$, the uplift overturning moment, M_u , and the
356 stabilizing moment, M_w allowing to compute a safety factor against overturning (S.F.m) following
357 the expression:

$$358 \quad S.F.m = \frac{M_w - M_u}{M_h - M_{h,harbour}} \quad (7)$$

359 In addition, the bearing capacity of the rubble mound breakwater is estimated by computing the

360 bearing pressure on the breakwater foundation at the heel of the caisson following the formulation
 361 presented in (Goda 2010). First, the moment M_e exerted on the heel of the caisson due to the
 362 resultant force of all the loads applied on the caisson is computed according to:

$$363 \quad M_e = M_w - \bar{M}_u - M_h \quad (8)$$

364 Knowing the normal force W_e and the moment M_e , the horizontal distance t_e between the heel
 365 and the normal force W_e is given by:

$$366 \quad t_e = \frac{M_e}{W_e} \quad (9)$$

367 The bearing pressure at the heel p_e can then be calculated by the following expression (Goda
 368 2010):

$$369 \quad p_e = \frac{2W_e}{3t_e} \text{ if } t_e \leq B/3 \quad (10)$$

$$370 \quad p_e = \frac{2W_e}{B} \left(2 - 3\frac{t_e}{B}\right) \text{ if } t_e > B/3 \quad (11)$$

371 where B is the width of the caisson.

372 **RESULTS**

373 **Tsunami Propagation**

374 *Modeling of the first and second wave*

375 The evolution of the free surface elevations of the tsunami, composed of two waves, that was
 376 computed with the BOSZ model is shown in Fig.5. The first wave is characterized by a length of
 377 30 km and low steepness. When reaching the breakwater, this wave starts to overtop the structure
 378 ($t = 3500$ s) without generating an impulsive collision. No undulation is observed atop of this first
 379 wave. After this first wave, the water level drops and the second wave arrives. In contrast to the
 380 first wave, the second wave is traveling in much shallower water at its leading edge results in a

381 shortening and steepening of the wave. This evolution of the wave form is accompanied by the
382 appearance of clear undulations (Fig.6) along the wave front about 14 km (in the middle of the
383 flat region) from the breakwater. These undulations are very short (≈ 100 m) and of up to 10 m
384 amplitude (e.g. at $t = 4250$ s). The development of the undular bore at $t = 4000$ s doubled the
385 height of the second wave, which initially was 5 m near the coast at $t = 3750$ s.

386 *Study of undular bore generation*

387 The variation of the maximum free surface slope of the wave front (α_m) and the first undular
388 bore amplitude (a_u/a_i), non-dimensionalized by the initial first tsunami amplitude, are illustrated
389 in Fig.7 for the first and second wave. The first wave presents an initial α_m of 3×10^{-4} that slowly
390 grows up to reach the value of 3×10^{-3} when the wave starts interacting with the breakwater. As
391 shown before, this first wave overtopped the breakwater without having evolved into an undular
392 bore during its propagation. For the second wave, the initial α_m is 9×10^{-4} (Fig. 7, bottom panel).
393 The values of α_m rapidly increases with x , reaching the value of 9×10^{-3} at $x = 40000$ m when the
394 wave starts propagating over the nearly flat part of the seabed and first undulations appear. Once
395 these undulations are present their amplitude continues to grow up to about $x = 52000$ m when
396 a_u/a_i decreases near the shore due to the depth-limited breaking process.

397 The spatial evolution of the Froude number during the tsunami propagation is displayed in
398 Fig. 8 together with α_m . For the two waves, the overall variation of the Froude number is mostly
399 attributed to the sudden changes in the bathymetry. Thus, for the first wave, Fr increases with x
400 and reaches the value of 1.04 at the end of the first slope region ($x = 22000$ m). Then, Fr keeps
401 increasing slightly up to about 1.1 when the wave travels over the second section of the bed that
402 is steeper. In the third and nearly flat region, the wave slows down and the Fr decreases again up
403 1.04. From this moment on, the Froude number progressively grows towards a maximum value of
404 1.2 while the wave approaches the coast. A similar evolution of Fr , but with overall lower values,
405 is obtained for the second wave during its propagation offshore. While the Fr values are close to
406 the values computed for the first wave in the first section, they remain quasi-constant ($Fr \geq 1.02$)
407 during the propagation above the second bed section of 16 km long. After this section, the Fr

408 number suddenly decreases below 1 at $x = 42000$ m. This location corresponds to the location
409 where the second wave transforms into an undular bore (Fig.7, bottom panel) followed by a rapid
410 increase of Fr up to 1.27. Closer to the shore, at $x = 49000$ m, Fr drops when the reflected first
411 wave meets the shoreward propagating second wave.

412 **Tsunami Impact On The Breakwater**

413 In this section, the THETIS results are used to investigate the impact of the first and second
414 wave on the hypothetical breakwater. First, the analysis focuses on the propagation and interaction
415 of the tsunami with the structure, considering only the last 2 km of the THETIS domain. Then,
416 the impact forces, overturning moments, safety factor values and bearing pressure are calculated in
417 order to study the potential failure mechanisms of the breakwater due to the tsunami impact.

418 *Tsunami interaction with the breakwater*

419 The study of the free surface elevations of the first wave (Fig.9, left panels (a)) shows that it
420 reaches a maximum height of 1.5 m at $t = 3500$ s. This wave generates a constant overflow over
421 the caisson that produces a large vortex at the lee side of the breakwater as shown in Fig.9(c). The
422 evolution of the free surface of the second wave highlights the effect of the nearshore bathymetry
423 on the undular bore (Fig.9, right panels (b)). At $t = 4500$ s, the first two waves of the undular
424 bore have broken far from the coast (2.5 km). As the undulations break offshore of the breakwater,
425 their height is significantly reduced by the time they hit the structure. Close to the breakwater, the
426 maximum undulation height is close to 4 m. These undulations ride atop of the core wave, which
427 is about 5 m high. When the undular bore reaches the breakwater, the impact generates a turbulent
428 front and successive broken short waves impinge on the breakwater ($t = 4700$ s). After the impact
429 of the undulations, the trailing edge of the tsunami reaches the breakwater and is reflected ($t = 4900$
430 s and 5000 s).

431 *Tsunami loading*

432 The temporal variations of the horizontal and uplift forces (F_h and F_u respectively) acting on
433 the caisson breakwater during the impact of the tsunami are plotted in Fig.10 for the two waves

434 with the corresponding safety factors (SF). Regarding the first wave, the horizontal force reaches a
435 maximum value of 2400 kN. Significant uplift forces are also generated ($F_u \approx 2600$ kN) due to the
436 fluid pressure inside the rubble-mound. Fluctuations in the F_u values appear from $t = 3400$ s, when
437 the wave starts overtopping the breakwater causing overflow (9(c)). As mentioned before, this flow
438 generates a large eddy on the lee side of the breakwater that acts directly on the rubble-mound toe
439 and produces significant pressure oscillations. During the impact of the second wave, the wave
440 loading on the caisson can be divided into two phases: first the impact of the undulations followed
441 by the arrival of the tsunami body. During the first phase, the impacts of the sequence of short waves
442 are clearly observed in the F_h signal, with maximum values around 500 kN. The uplift force signal
443 also shows the successive impacts of these undulations with a maximum load of 1300 kN. During
444 the second phase, which lasts longer, larger horizontal force values are reached with a maximum of
445 $F_h = 900$ kN. Similar behavior is also found for the uplift force with a maximum value of 1750 kN.

446 *Caisson stability*

447 The stability of the caisson during the tsunami impact is first assessed by calculating the safety
448 factor (SF) related to sliding forces computed in the previous section and by considering the
449 stabilizing loads such as water at rest and the water mass above the caisson from to the overtopping
450 discharge. A SF value below 1.0 means that the caisson might be in unstable condition. For the
451 first wave, SF values stay slightly below 1.0 for a long period of time (200 s). On the opposite, SF
452 never reaches the threshold value of 1.0 during the impact of the undular bore associated with the
453 second wave (minimum value around 4).

454 The caisson stability with respect to overturning is plotted in Fig.11. The overturning moments
455 due to the destabilizing forces present the same behavior in time as the horizontal and uplift forces
456 illustrated in Fig.10. The safety factor associated to overturning (S.F.m) is calculated as before by
457 taking the stabilizing moments into account that are generated by the overtopping discharge and the
458 still water at the harbor side. S.F.m values above 1.0 (a minimal value of 1.4) are obtained during
459 the arrival of the first wave. For the second wave, S.F.m values remain far from the stability limit
460 of 1.0 (7.0 is the minimal value).

461 Finally, the time evolution of the bearing pressure at the heel of the caisson is shown in Fig.12.
462 For the first wave, the highest pressure (780 kPa) is obtained when the overtopping discharge is
463 maximum. This value does not exceed the critical value of 800 kPa (Uezono and Odani 1987), but
464 the design limit of 600 kPa (Goda 2010) is exceeded for a long period of time (300 s). For the
465 second wave transformed into an undular bore, the bearing pressure is less significant (≈ 300 kPa)
466 than for the first wave and does not exceed the design limit.

467 **DISCUSSION**

468 This study presents results from numerical model of particular processes that govern the trans-
469 formation of tsunamis in shallow water and their impact on a detached breakwater. The computed
470 tsunami conditions are similar to those, which occurred during the Tohoku Tsunami in Sendai Bay
471 off the port of Soma. The modeling work is based on a one-way coupling strategy between two wave
472 models allowing for description of the most relevant processes including dispersive and non-linear
473 effects during the propagation phase and dynamic wave loading during the impact - including the
474 contribution of flow under the rubble mound of a breakwater. The results of the study provide new
475 insights related to the specific wave processes that can locally originate under tsunamis propagating
476 over gentle slopes. The results help to identify the appropriate modeling strategies to assess the
477 stability of a caisson breakwater in case of the investigated type of tsunami impact.

478 **Tsunami Transformation Processes**

479 The results from the Boussinesq model confirm that frequency dispersion can be a major factor
480 for the tsunami transformation processes as previously shown by (Glinsdal et al. 2006), (Horrillo
481 et al. 2006), (Grue et al. 2008) and (Saito et al. 2014). The computations of the free surface show
482 that for a waveform similar to the one measured by the GPS801 buoy off of Soma Port during
483 the Tohoku Tsunami, the first wave did not develop any undulation even close to the breakwater.
484 In contrast, for the second and steeper wave, which has an initial maximum elevation slope (α_m)
485 of 9×10^{-4} , a clear undular bore appears when α_m increases up to the value of 9×10^{-3} . In
486 order to clarify whether the α_m -value can constitute a threshold value, at which undular bores can
487 appear, two additional numerical runs have been carried out with BOSZ over the same bathymetric

488 configuration. In the first run, the initial wave amplitude is half of the original signal, and twice
489 that value for the second run. The initial α_m are respectively 4.5×10^{-4} and 1.8×10^{-3} . The undular
490 bores appear when α_m reaches 9×10^{-3} , and 1×10^{-2} respectively for the first and second runs.
491 These results are consistent with the numerical study of (Grue et al. 2008), where it was shown
492 that undular bores occurred in the Strait of Malacca when the maximum elevation slope exceeded a
493 critical value between 0.0036 and 0.0038 for two cases with different wave amplitudes (5.2 m and
494 2.6 m).

495 The two waves also present some discrepancies in terms of Froude number evolution during
496 their propagation, with higher values observed for the first wave in overall. This difference is
497 mainly caused by the return flow that accompanies the drawdown of the first wave and opposes the
498 propagation of the second wave (Eq. 3). Closer to the shore, Fr rapidly increases after the formation
499 of the undular bore while it remains relatively constant for the first wave. When the first undulations
500 appear, Fr is about 1.0 and then increases to 1.2 before the undulations start breaking before the
501 Fr -number increases. Such behavior was previously reported by (Treske 1994) and (Soares Frazao
502 and Zech 2002). In their studies, they show that undulations appear for Fr values between 1.0 and
503 1.28, and that undular bores develop into steep turbulent fronts for higher values. This suggests
504 that in the Soma case, the first wave, which also presents Fr values above 1.0, could have evolved
505 into an undular bore. However, other studies such as (Treske 1994), (Soares Frazao and Zech 2002)
506 and (Chanson 2010) using a dambreak to generate a bore showed that the undulations only appear
507 for a steep wave front. The low gradient of the first wave's initial front slope explains why no
508 undulations appeared. This result confirms that α_m controls the formation of undulations whereas
509 the Froude number mostly governs the type of wave regime.

510 **Breakwater Failure Mechanisms**

511 The numerical computations performed with the RANS-VOF model THETIS provide detailed
512 information about impact forces acting on a caisson breakwater that can be used to study the
513 potential causes of breakwater failures for scenarios similar to the one from Soma Port. First,
514 the calculations reveal that the largest forces from overturning moments and bearing stresses are

515 reached during the overtopping of the first wave. During this overtopping phase, the water level
516 above the top of the caisson remains extremely high, > 10 m, for a long period of time (≈ 10 min).
517 Consequently, the safety factor for sliding failure reaches values close to 1.0 during this stage.
518 However, the safety factor values are not low enough to conclude that the horizontal forces on the
519 caisson caused sliding during the impact of the first wave. This applies even more for the second
520 wave, which evolves into an undular bore, since the the safety factor remains much higher than unity
521 (≈ 4). This result is counter-intuitive at first as the breakwater was almost completely exposed after
522 the drawdown that followed the recession of the first wave. In fact, the short waves of the undular
523 bore started breaking 2 km offshore of the structure, leading to a substantial dissipation of wave
524 energy far from the breakwater, and thus a reduction of the impact forces. Interestingly, excessive
525 bearing pressures were computed at the heel of the caisson during the interaction of the first wave
526 with the structure. This reduction of rubble mound bearing capacity combined with the high
527 overturning moments could have contributed to the destabilization of the caisson. Furthermore,
528 the strong tsunami overtopping during the first wave could also have scoured the lee side of the
529 rubble-mound and thus reduced the adherence between the caisson and its foundation.

530 **Breakwater Stability Assessment With a Boussinesq-type wave model**

531 The study of the caisson stability based on the results from THETIS have shown that the
532 characteristics of the impact are mainly controlled by the long lasting overtopping stage followed
533 by a series of short broken waves without generating an impulsive impact. This suggests that a
534 Boussinesq type wave model, such as BOSZ, can be used to assess the overall stability of the
535 caisson for this particular case. Complementary computations were then performed to verify this
536 hypothesis. The different forces acting on the caisson were derived from the water level given by
537 BOSZ assuming hydrostatic pressure as displayed in Fig. 13.

538 Since the flow inside the rubble mound cannot be solved with a depth-integrated model, in
539 which the breakwater is represented as an impermeable element of the bathymetry, the uplift
540 force is obtained assuming a triangular distribution of the pressure acting underneath the fictitious
541 caisson (Fig. 13). The limits of this distribution are given by the hydrostatic pressures computed

542 on each side of the caisson. For this specific tsunami impact, characterized by a rather slow wave
543 structure interaction, the hydrostatic pressure assumption may work well. Indeed, in wave impact,
544 the contribution of the dynamic pressure is known to matter only where the free surface is locally
545 very steep. The first wave structure interaction displayed in Fig.9 (left panels (a)) is associated
546 with a slowly varying upstream flat free surface. For this type of interaction, the total pressure may
547 deviate from the hydrostatic case only in the down stream recirculating region (Fig. 9, panel (c)).
548 The second wave impact is globally similar for the low frequency part, but also involves several
549 bores. Oumeraci et al. 2001 show that for broken bores, as evidenced in Fig.9 (right panels (b)),
550 the force generated on the structure does not involve any pressure peak and the deviation from the
551 hydrostatic pressure may also be limited.

552 Forces and safety factor computed from BOSZ are compared with those obtained with THETIS
553 in Fig.10. In overall, the time evolution of the horizontal and vertical forces are very similar for
554 the first wave with a slight overestimation of the horizontal force in BOSZ that leads to slightly
555 lower safety factor values. In contrast, discrepancies between the two models are more pronounced
556 for the second wave. First, the undular bore computed with BOSZ reaches the breakwater shortly
557 after (about two minutes) the one computed with THETIS. The oscillations of the horizontal and
558 uplift forces corresponding to the contribution of each short wave from the undular bore are well
559 simulated by BOSZ with a slight overestimation. Once again, this induces a reduction of the safety
560 factor values up to 2.8, which, however, remain well above the critical threshold for safety. This
561 confirms that the contribution of the dynamic pressure to the horizontal forces acting on the caisson,
562 which is implicitly accounted for in THETIS, is negligible compared to the hydrostatic component.
563 However, this result must be interpreted with caution since the leading short waves of the second
564 wave broke before reaching the caisson.

565 Finally, the comparisons between BOSZ and THETIS reveal that for tsunami conditions similar
566 to those computed in this study, a depth-integrated model can provide realistic estimates of tsunami
567 loadings acting on a detached breakwater. This suggests that dispersive depth-integrated models
568 can not only be used to assess overtopping risk (Hu et al. 2000, Roeber et al. 2010b, McCabe et al.

2014), but can also be applied to give a first estimate of tsunami loadings and breakwater stability.

CONCLUSIONS

Two complementary wave models, a Boussinesq-type and a RANS-VOF models, were used to study the transformation of a tsunami composed of two waves. The computations include the propagating over a gentle continental shelf and the impact on a detached caisson-type breakwater for conditions similar to those observed at Soma Port during the Tohoku Tsunami. The following conclusions can be drawn from this work:

- The computations carried out with a Boussinesq-type model show that for this particular case only the second tsunami wave transformed into an undular bore. The hypothetical scenario is based on overall shape of the seabed and the detached breakwater at Soma Port, where video footage was taken that confirms these findings. The first undulations start to appear about 14km offshore from the breakwater when the maximum free surface slope (α_m) at the wave front exceeds the critical value of 9×10^{-3} in an area with gently sloping bathymetry. For the first wave, the front steepness remains lower than this threshold value preventing the development of undulation.
- The results of the RANS-VOF model show that the forces acting on the caisson are largest during the overtopping process of the first wave that lasted for several minutes. The impact of the second wave is characterized by the broken short waves of the undular bore followed by the impact of the main underlying tsunami surge. The hydrodynamic loadings on the caisson are larger during the surging phase than by the undular bore. The sliding and overturning safety factor are found to be lowest during the surging phase but still greater than 1, suggesting that the hypothetical breakwater in the computations would have likely survived the impact of the entire second wave. The safety factor computed over the duration of the first wave is slightly below 1. It is therefore likely that excessive bearing pressure (780 kPa) at the heel of the caisson during the long lasting overtopping of the first wave (300 s) caused the collapse of the breakwater. In addition, the reduction of rubble mound bearing

595 capacity combined with the high overturning moment could have lead to the caisson's
596 instability.

- 597 • For the tsunami conditions computed in this study, it is important to notice that due to the
598 drawdown of the first wave the subsequent second wave transformed into an undular bore.
599 This train of waves started breaking far offshore and underwent substantial dissipation before
600 it reached the breakwater. Consequently, the undular bore itself only marginally contributed
601 to the destabilization of the caisson breakwater for this particular case. However, further
602 work should be carried out to address the role of undular bores under different tsunami
603 scenarios and for different types of breakwaters.
- 604 • Dispersive depth-integrated models such as the Boussinesq-type model BOSZ are an at-
605 tractive option for the assessment of breakwater stability at very low computational cost.
606 In addition to their capability to compute tsunami evolutions over large domains and long
607 periods of time, these models can provide reasonable first estimates of wave loadings. For
608 a more detailed assessment of tsunami loadings on breakwaters, it is recommended to
609 compute the full interaction between the waves and the structures at high resolution with a
610 Navier-Stokes-type model.

611 **DATA AVAILABILITY STATEMENT**

612 The source codes of Thetis and BOSZ can be provided for scientific studies upon request.

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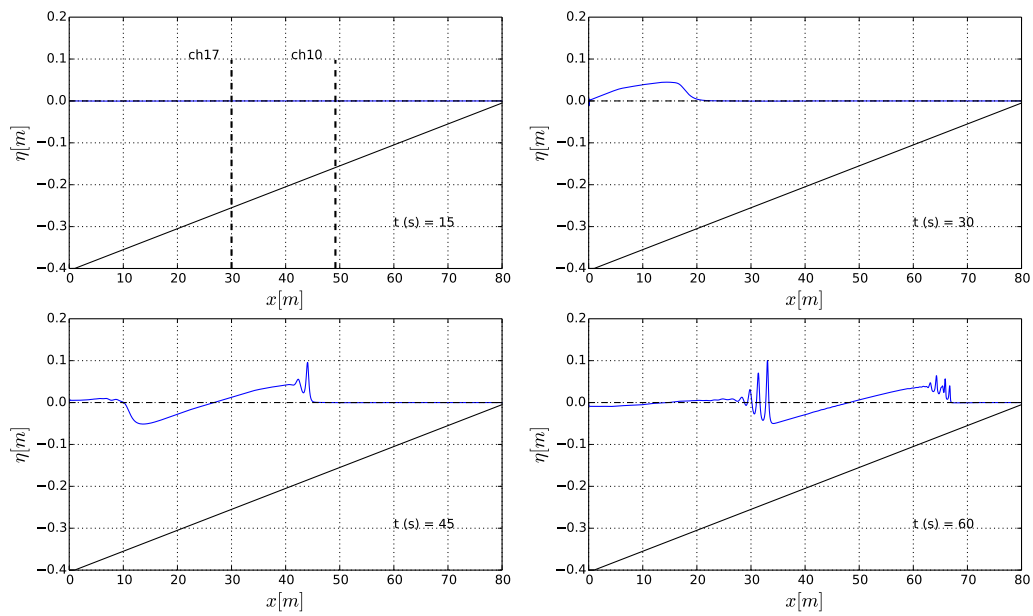


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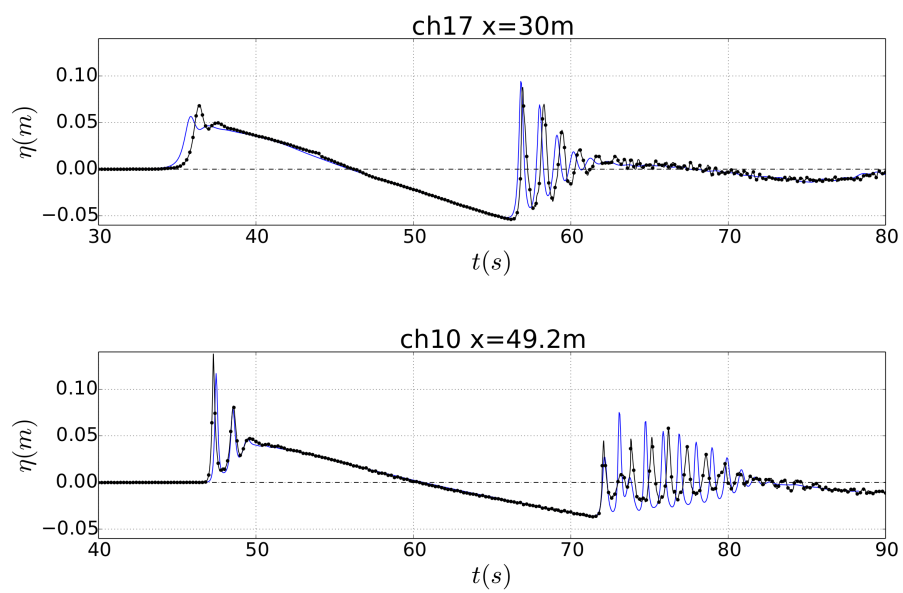


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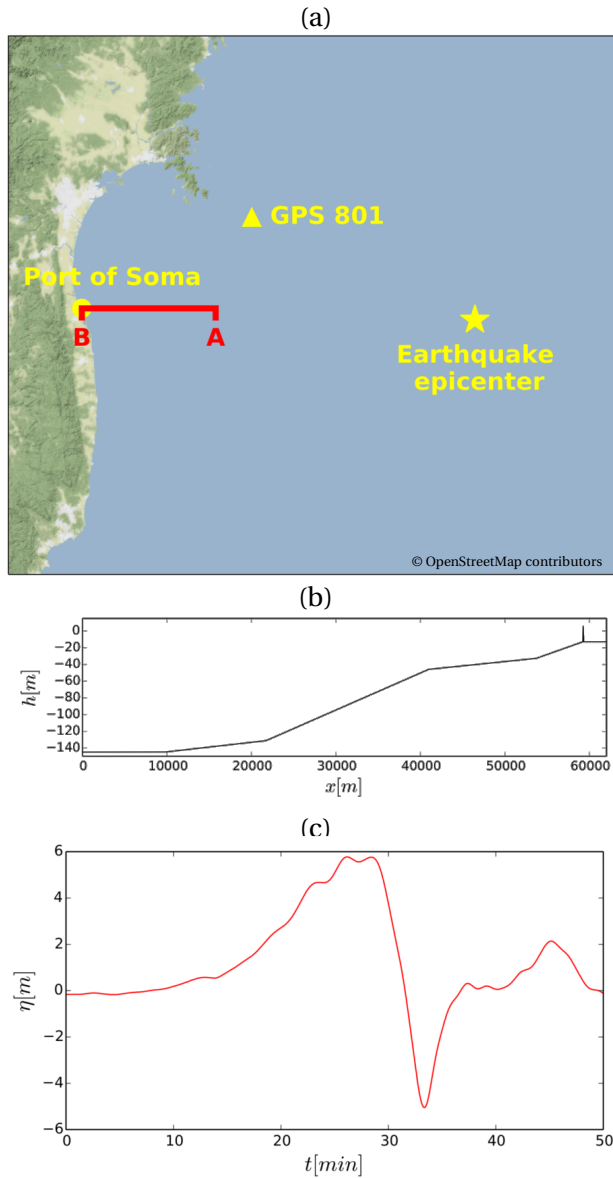


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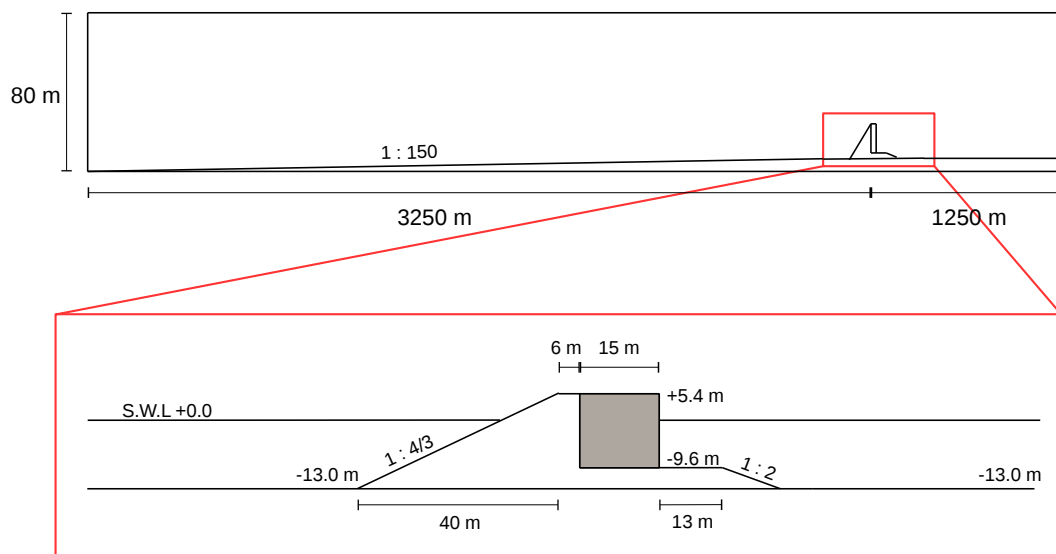


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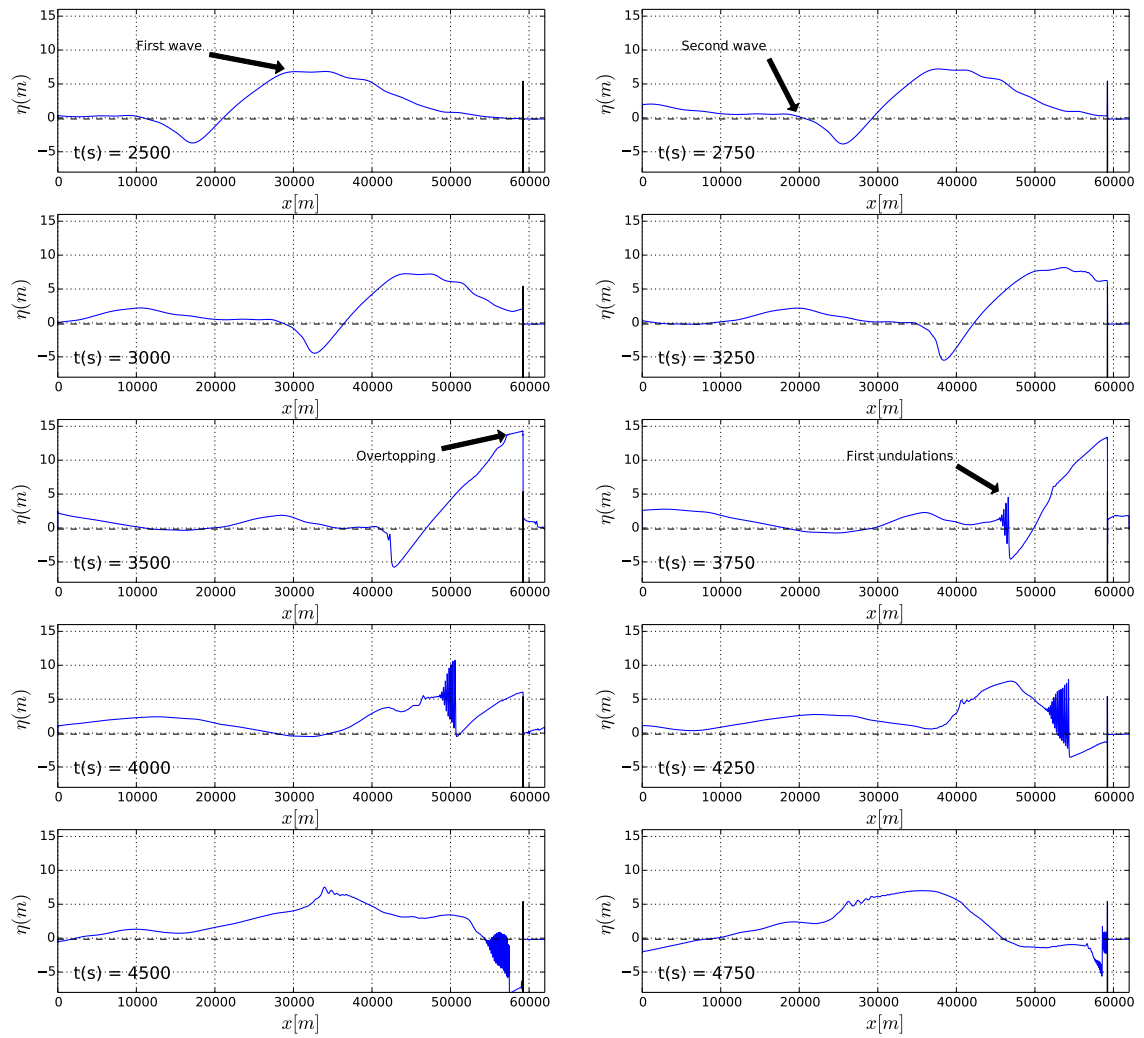


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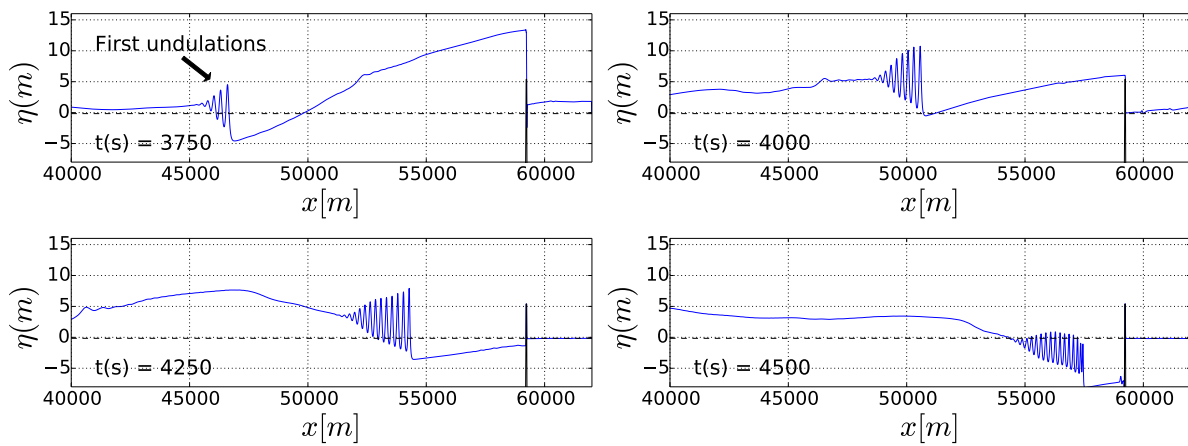


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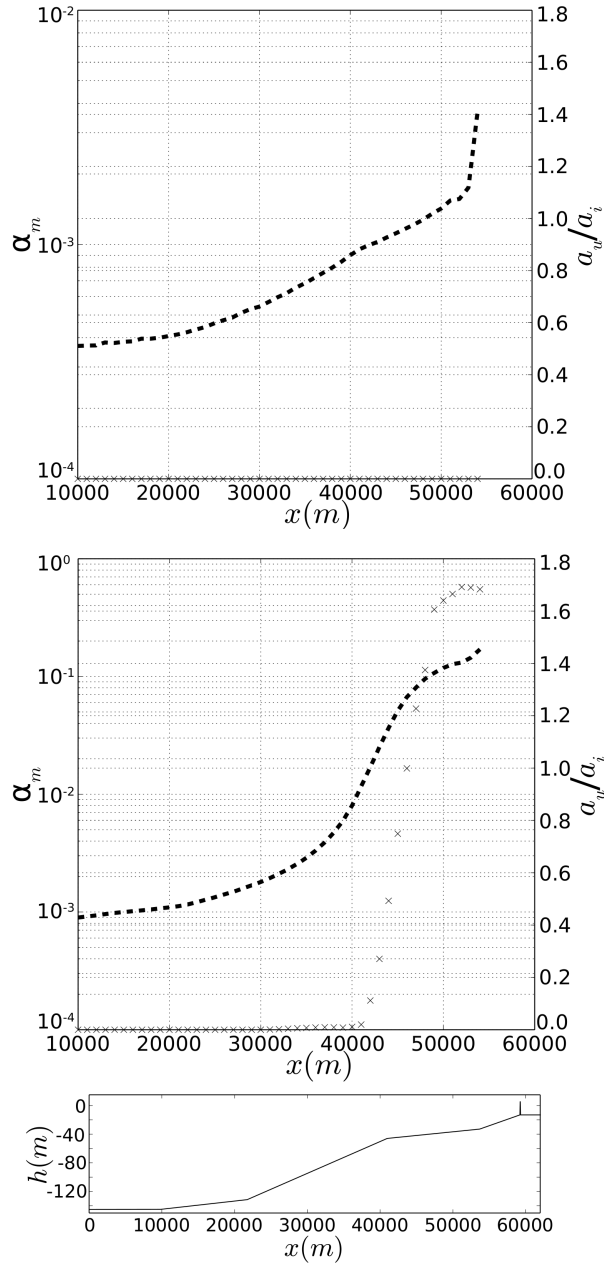


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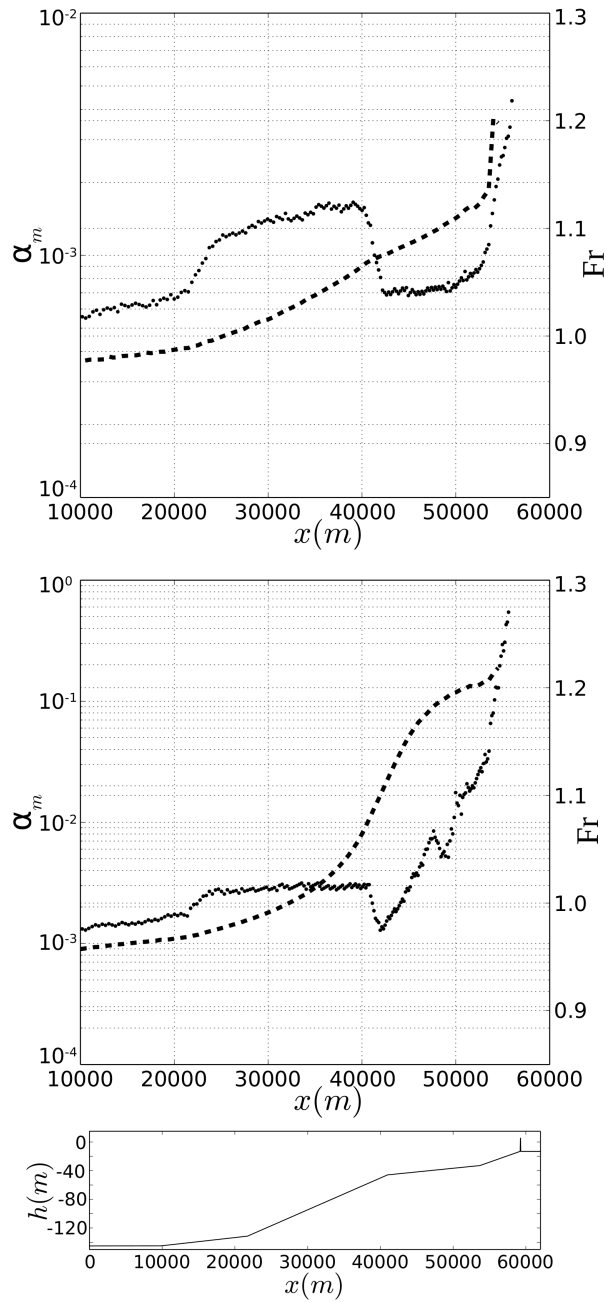


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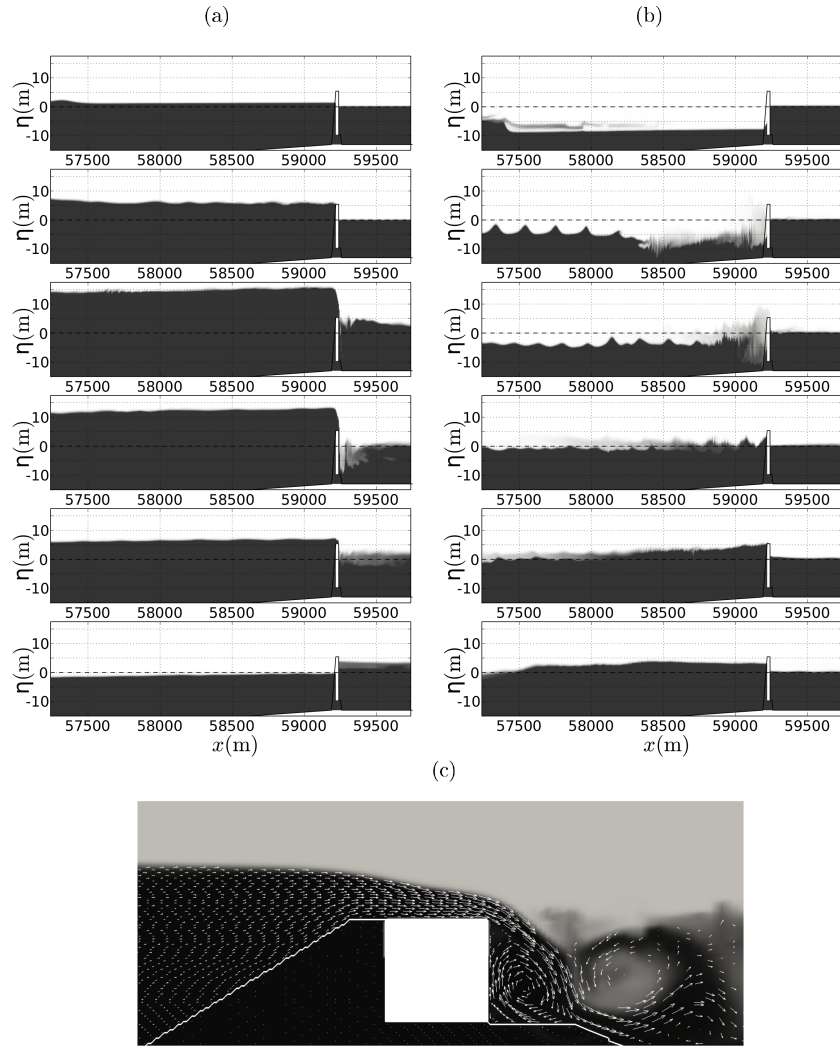


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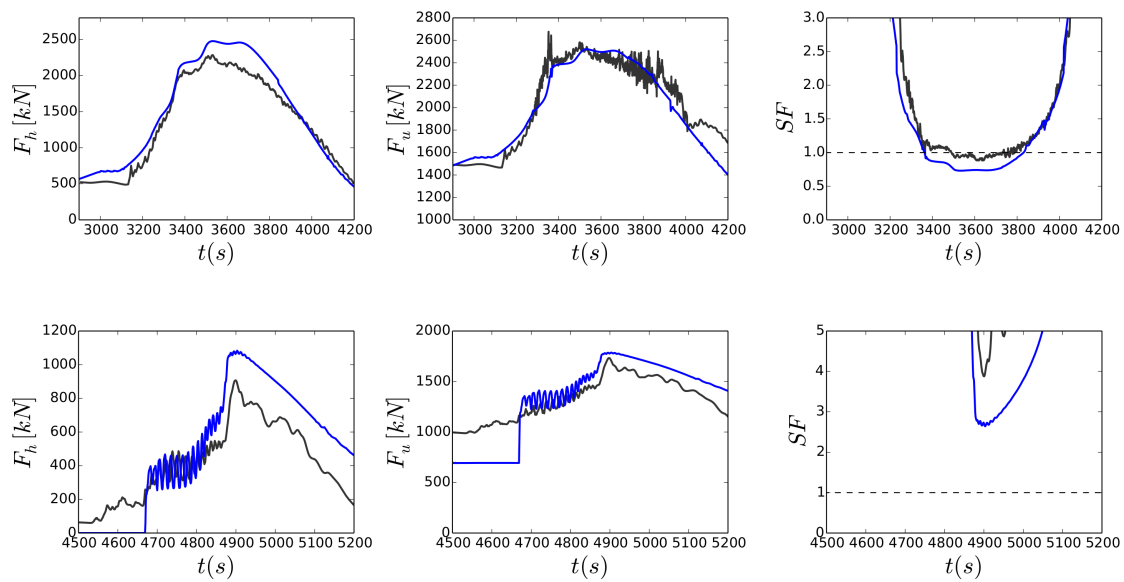


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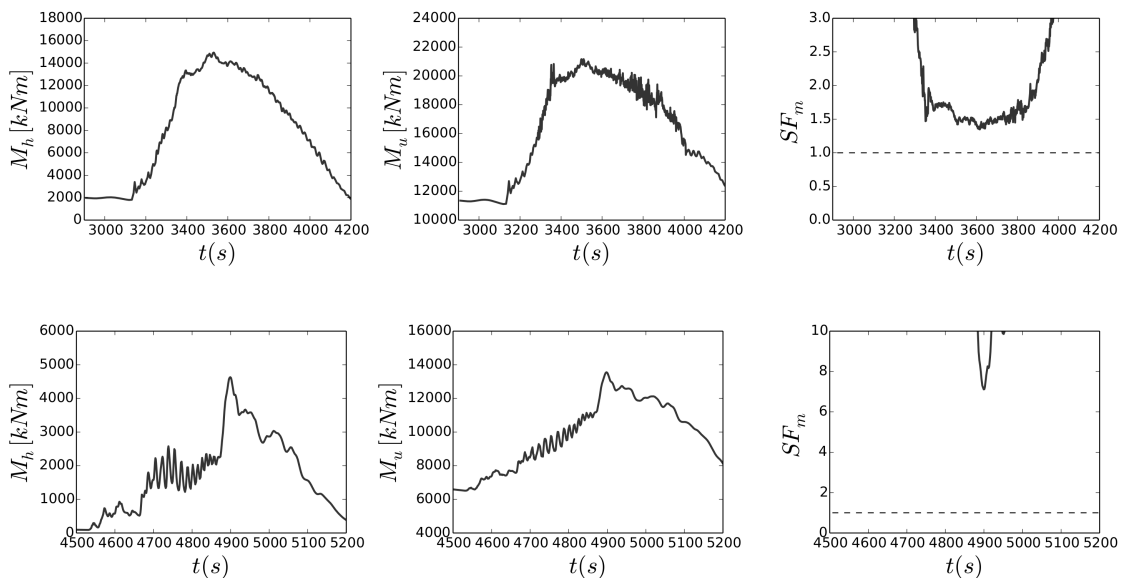


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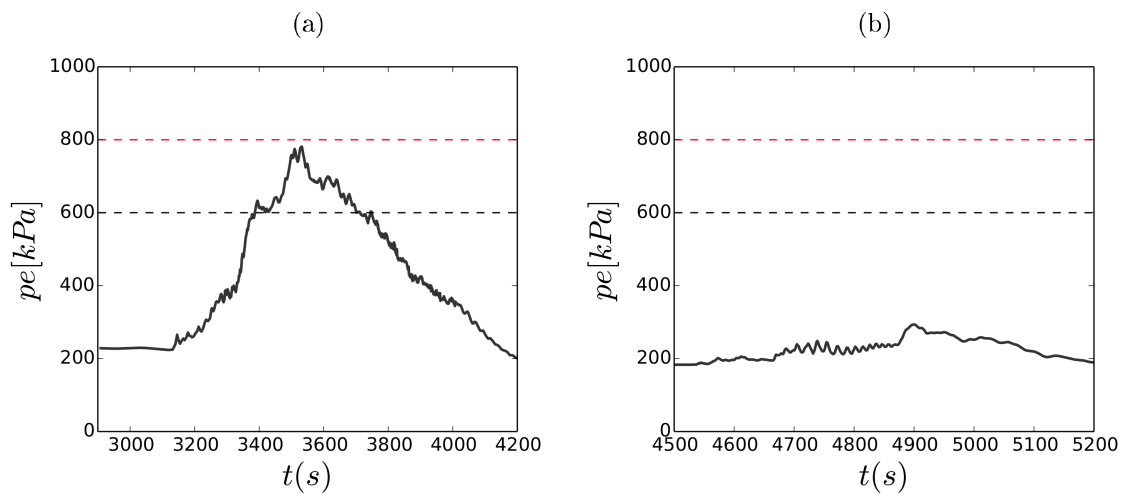


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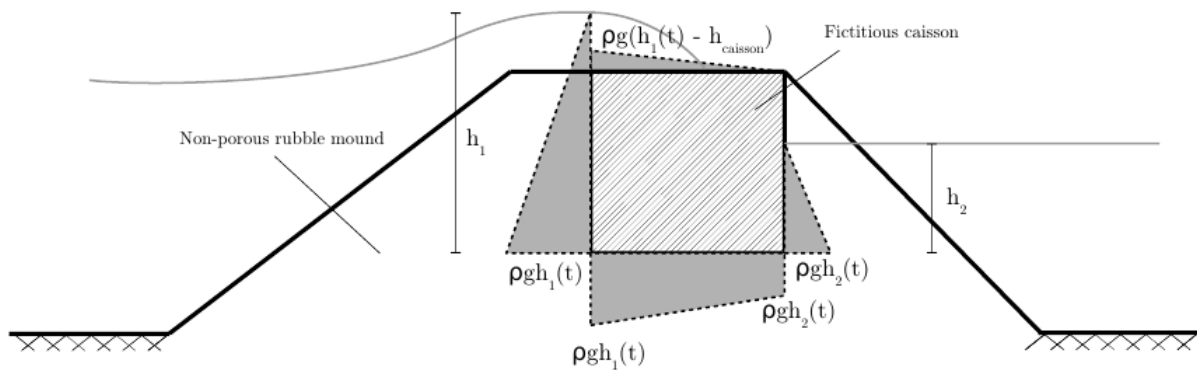


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