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Using Random forest and Gradient boosting trees to improve wave forecast at a specific location

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9 Abstract

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The main objective is to present alternative algorithms to neural networks when improving sea state forecast by numerical models considering main spectral bulk param-11 eters at a specific location, namely significant wave height, peak wave period and peak 12 wave direction. The two alternatives are random forest and gradient boosting trees. To 13 our knowledge, they have never been used for error prediction method. Therefore, their performances are compared with the performances of the usual choice in the literature: 15 neural networks. We showed that the RMSE of the variables updated with gradient 16 boosting trees and random forest are respectively 20 and 10% lower than the RMSE 17 obtained with neural networks. A secondary objective is to show how to tune the hy-18 perparameter values of machine learning algorithms with Bayesian Optimization. This 19 step is essential when using machine learning algorithms and can improve the results 20 significantly. Indeed, after a fine hyperparameter tuning with Bayesian optimization, 2 gradient boosting trees yielded RMSE values in average 8% to 11% lower for the cor-22 rection of significant wave height and peak wave period. Lastly, the potential benefits 23 of such corrections in real life application are investigated by computing the extreme 24 wave run-up $(R_{2\%})$ at the study site (Biarritz, France) using the data corrected by the 25 different algorithms. Here again, the corrections made by random forest and gradient 26 boosting trees provide better results than the corrections made by neural networks. 27 Keywords: Artificial neural networks, Data assimilation, Error prediction, Gradient 28 boosting trees, Random forest, Wave forecasting. 29

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30 1. Introduction

Nowadays, numerical wave models are routinely used to forecast wind generated 31 waves. Although they provide satisfactory predictions at a regional scale and during 32 mean wave conditions, it has been shown that they are less accurate for forecasting at 33 a specific location (Londhe et al., 2016) and have a tendency to underestimate wave 34 height during energetic wave conditions. This underestimation has been observed in 35 different state-of-the-art wave models: see the work of Arnoux et al. (2018) for Wind 36 Wave Model II (WWMII) and WAVEWATCH-III (WW3); Rakha et al. (2007) for 37 WAve Model (WAM) and Moeini et al. (2012) for the Simulating WAves Nearshore 38 model (SWAN). The errors in wave predictions are mainly due to inaccuracies in the 39 wind input that forces the model. The winds used as forcing are numerically simulated 40 and are known to underestimate high wind speeds (Moeini et al., 2012). This results 41 in the underestimation of wave parameters by numerical wave models. Simplifying 42 assumptions, approximations employed in the modeling process, discretization of the 43 domain and a potentially wrong parametrization of the model can also be sources of 44 inaccuracies in wave model predictions (Babovic et al., 2001, 2005). 45

When observation data are available, data assimilation can be used to improve the 46 predictions made by numerical models. There are 4 main categories of data assimila-47 tion procedures (Refsgaard, 1997; Babovic et al., 2001): updating the input parameters, 48 updating the state variables, updating the model parameters and finally updating the 49 output parameters. The last procedure is called "Error prediction" method and is the 50 most suitable approach to improve model predictions of different output variables at 51 a specific location (Babovic et al., 2005). This procedure presents several advantages 52 comparing to the other data assimilation procedures. First, it covers inaccuracies com-53 ing from all sources because it improves directly output variables. In addition, it can 54 use a combination of external variables such as meteorological or wind data to increase 55 the accuracy of the predictions. Lastly, it is easy to implement because it consists in 56 only three steps and does not require multiple runs of numerical wave model. First, the 57 deviations between the modeled values and measured values are computed. Then, ma-58

chine learning algorithms are used to forecast these deviations. Finally the deviations
predicted by the algorithms are incorporated to the predictions of the numerical model
for the next time steps, resulting in a more accurate wave forecast.

This method has been successfully applied on hindcast data (Makarynskyy et al., 62 2005; Deshmukh et al., 2016) and has even been implemented in real time setting in 63 the works of Babovic et al. (2001) and Londhe et al. (2016). To our knowledge, only 64 artificial neural networks have been tested to forecast the errors in the data assimila-65 tion. However, according to the so-called "No Free Lunch" theorem, there is no single 66 model that works best for all problems (Wolpert, 2002). It is therefore necessary to 67 try multiple models and find the one that works best for our particular problem. The 68 performance of artificial neural networks must be compared with other algorithms in 69 the data assimilation task. Random forest and gradient boosting trees are strong candi-70 dates for this comparison. Indeed, these two methods are known for their performance 71 and unlike neural networks, they also provide valuable information by computing the 72 predictive power of each variable used as input. The predictive power or variable im-73 portance refers to how much a model relies on that variable to make accurate predic-74 tions. A variable with high predictive power means that its values have a significant 75 impact on the prediction values. By contrast, a variable with low predictive power have 76 a limited impact on the prediction values and it can be substracted from the model to 77 make it simpler and faster. 78

To explore the performance of random forest and gradient boosting trees, we use 79 as a test case the Basque coast (South west of France). Every winter, the basque coast 80 faces numerous coastal flooding events. To prevent and mitigate the risk of flooding, 8 wave forecast are used to compute the extreme run-up values either by using parametric 82 models such as the formula of Stockdon et al. (2006) or process based models such as 83 Xbeach (Vousdoukas et al., 2012; de Santiago et al., 2017). In both cases, the accuracy 84 of this forecast is of utmost importance as the issuing of the early warning depends on 85 it, especially during energetic wave climate where coastal flooding risk is the highest. 86 In this study, we employ the error prediction method with the different machine learn-87 ing algorithms and use local meteorological conditions and measured wave parameters 88 from a local buoy to improve the wave forecast. Lastly, we investigate the potential 89

⁹⁰ benefits of using such corrections in the computation of extreme run-up values.

This study aims to present two alternatives (random forest and gradient boosting 9 trees) to neural networks by comparing their performances when improving regional 92 numerical models. A secondary objective is to show how to tune the hyperparameter 93 values of machine learning algorithms with Bayesian Optimization. In machine learn-94 ing, a hyperparameter is a parameter whose value is specified by the user before the 95 learning process begins, it will affect how well a model trains and therefore it will have 96 a non negligible impact on the final results. Bayesian optimization is an efficient hy-97 perparameter optimization algorithm and it is widely used to optimize the results of 98 any given machine learning method. 99

Lastly, we investigate if the error prediction method makes a difference in a real application such as the computation of extreme run-up for the beach of Biarritz. Section 2 will introduce the study area, the data and all the statistical methods used. Results will be presented and discussed in Section 3. Finally, Section 4 will cover the conclusion.

104 2. Data and Methods

105 2.1. Study site and Data

The Basque coast is a 150 km long rocky coast facing the Bay of Biscay (Figure 106 1). Every winter, it is battered by numerous storm events. This results in frequent 107 and sometimes intense coastal flooding which can severely damage seafront infrastruc-108 tures. The city of Biarritz is particularly affected as the buildings and infrastructures 109 are located right behind a sea wall that is located at the top of the beach. The damages 110 associated with coastal flooding are costly for nearshore cities which try to prevent 111 and mitigate the risks by developing early warning systems. Such systems rely on the 112 knowledge of the sea state and its forecast. 113

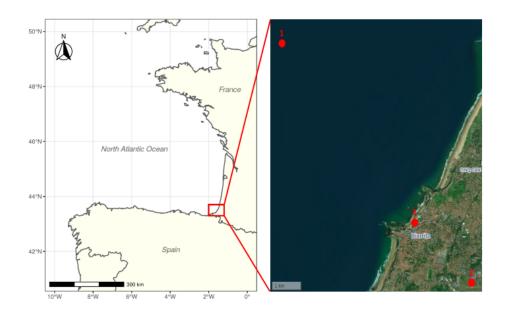


Figure 1: Map showing the location of the study site. The red dots show of the locations of the directional wave buoy (1), the meteorological station (2) and the beach called "Grande Plage de Biarritz" (3).

This work focuses on the forecast improvement of three wave integrated parameters 114 which describe the sea state in this area: the significant wave height (H_S) , the peak 115 period (T_p) and the peak wave direction (θ_p) . Direct measurements of these parameters 116 are obtained from the National Center for Archiving Swell Measurements (L'her et al., 117 1999). They were made by a directional wave rider buoy (DWR MKIII) operated by 118 the Centre for Studies and Expertise on Risks, Environment, Mobility, and Urban and 119 Country Planning (CEREMA) and the University of Pau and Pays de l'Adour (UPPA). 120 The buoy is located a few miles off the Basque Coast (Figure 1) at 50 meters water 121 depth. Since its deployment in 2009, this buoy have been recording the parameters 122 of interest every 30 minutes. The measuring range of this buoy is [-20m; 20m] for 123 heave motion, [1.6s; 30s] for wave period and [0°; 360°] for wave direction. It has a 124 resolution of 1 cm in heave motion and a directional resolution of 1.5°. To be consistent 125 with the numerical wave data and meteorological data, a 1 hour time step was adopted 126 for the buoy data. 127



The three parameters simulated at the buoy coordinates by the Meteo-France WAM

model were provided by the Copernicus Marine Environment Monitoring Service. This
reanalysis ("ibi_reanalysis_wav_005_006") covers the period 2007-2019 with a hourly
time-step. The MFWAM model is derived from the third generation wave model WAM
(Group, 1988). It is forced by wind fields obtained from a regional numerical weather
prediction model (AROME). A more complete description of the MFWAM model can
be found in Lefèvre and Aouf (2012).

Meteorological data, including average wind speed above 10 meters, wind direction and atmospheric pressure were furnished by the French national meteorological service MeteoFrance. The data were collected hourly by the meteorological station of the Biarritz airport, located only a few kilometers from the study site (Figure 1). It covers the period ranging from 2013-01-01 to 2018-12-31. By assembling the wave buoy data, the wind wave parameters and the meteorological data we obtain a dataset of 41439 hourly observations ranging from 2013-01-01 to 2018-12-31.

In this work, we are improving the wave forecast by correcting the systematic errors of the wind wave model. Therefore, we are not considering any temporal effects while improving H_S , T_p and θ_p . The dataset was randomly divided into 2 parts: the training part containing 70% of the observations (n = 28797) and the testing part containing the remaining 30% (n = 12342).

147 2.2. Error prediction method

- ¹⁴⁸ The error prediction method consists in three steps:
 - Step 1: Deviations between model predictions and measured values are computed:

$$E_{model} = X_{measured} - X_{modeled},$$

where E_{model} is the error of the model, $X_{measured}$ is the measured value of an output variable provided by the wave buoy and $X_{modeled}$ is the value of the same variable computed by the wave model.

• Step 2: E_{model} is predicted with an appropriate supervised machine learning algorithm. • Step 3: The predicted error is added to the prediction of the wave model to obtain an updated numerical prediction:

$$X_{updated} = X_{modeled} + E_{predicted}$$

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where $X_{updated}$ is the updated prediction of wave model and $E_{predicted}$ is the predicted error given by the supervised learning method.

This method is repeated separately for each output variable to improve (H_s, T_p, θ_p) . 158 The performance of this data assimilation method relies on two things: the quantity of 159 data and the machine learning algorithm used. Since the machine learning algorithm 160 are generally more suited to interpolate rather than extrapolate, the available data for 16 learning process should cover as much as possible the range of all the probable events 162 in the study area. Concerning the learning method, only neural networks have been 163 used for the step (2) of the error prediction method to our knowledge(Makarynskyy 164 et al., 2005; Moeini et al., 2012; Londhe et al., 2016). Because we want to compare 165 the performance between different machine learning algorithms, we use random forest 166 and gradient boosting trees. All the tested algorithms use the same input variables 167 to improve the model accuracy: the three wave parameters (H_S, T_p, θ_p) given by the 168 numerical model, the atmospheric pressure, the wind direction and speed. 169

170 2.3. Neural networks

Artificial neural networks have been extensively used in the domain of wave modelling (Deo et al., 2001; Makarynskyy et al., 2002; Makarynskyy, 2005; Mandal and Prabaharan, 2006) or wave parameters assimilation (Makarynskyy et al., 2005; Moeini et al., 2012; Londhe et al., 2016). It is why technical details will be avoided in this study and only the general concepts will be presented. The readers can find more details and information on the working of neural networks in Liang and Bose (1996) or Friedman et al. (2001).

The most common class of neural networks is the multilayer perceptron. The neurons in this network are organized in three layers: the input layer that receive the input variables, the output layer that performs the final predictions and between these two layers there is the hidden layer. Neurons in the hidden layer transmit the signal to the output layer by transforming the weighted sum of the neurons present in the input layer with a non linear function called activation function. The weights between each neuron of the network are adjusted through the iterative process of backpropagation to minimize the error between the variable we want to predict and the variable predicted by the network (output layer).

As other machine learning methods, hyperparameters need to be specified before the training of neural networks. Some hyperparameters control the network architecture (number of neurons, layers, activation function used, etc...) while others control the training process (learning rate, bacth size, number of epochs, etc...). Hyperparameters must be tuned carefully in order to achieve optimal results with neural networks.

192 2.4. Tree based algorithms

¹⁹³ Unlike neural networks, random forest and gradient boosting have never been used ¹⁹⁴ in the error prediction method. They are state-of-the-art ensemble learning techniques ¹⁹⁵ for classification and regression tasks. An ensemble learning technique commonly ¹⁹⁶ refers to a method that combines the predictions from multiple machine learning algo-¹⁹⁷ rithms, called base learners, to produce more accurate predictions.

Random forest is an algorithm that builds many decision trees in parallel. These
 trees are the base learners for random forest and they have the following characteristics:

- Each tree is built using a different bootstrap sample of the data-set. This mechanism is called bagging.
- At each node, a given number (hereafter "mtry") of variables are randomly sampled as candidates at each split. The best split point is then selected within this random set of variables. This process is called feature sampling. The value "mtry" is fixed before growing the forest.
- Unlike the classification and regression trees of Breiman et al. (1984), the trees in random forest are fully grown (no pruning step).
- Bagging and feature sampling are the core principles of random forest. They are two randomizing mechanisms which ensure that the trees are independent and are less

correlated with each other. The final prediction of a random forest is obtained by
averaging the results of all the independent trees in case of regression or using the
majority rule in case of classification.

The most important hyperparameters in random forest are the number of trees and "mtry": the number of variables randomly sampled as candidates at each split when building the trees.

Gradient boosting is an algorithm that trains many weak learners sequentially to 216 provide a more accurate estimate of the response variable. A weak learner is a machine 217 learning model that perform slightly better than chance. In case of gradient boosting 218 trees, the weak learners are shallow decision trees. Each new tree added to the ensemble 219 model (combination of all the previous trees) minimizes the loss function associated 220 with the ensemble model. The loss function depends on the type of the task performed 22 and can be chosen by the user. For regression, the standard choice is the squared loss. 222 By adding sequentially trees that minimize the loss function (i.e. follow the gradient 223 of the overall loss function), the overall prediction error decreases. Technical details 224 about gradient boosting trees can be found in (Friedman, 2001). 225

Many hyperparameters have to be tuned for gradient boosting trees, some of them control the gradient boosting process, such as the learning rate, the number of trees to be used whereas others regulate the construction process of the trees: minimal node size, sample of the dataset to be used, maximum depth.

230 2.5. Hyperparameter tuning

Hyperparameters influence significantly the training of the machine learning algorithms and therefore the quality of their predictions. The objective of hyperparameter tuning is to find the values of hyperparameters that yield the lowest error (RMSE in our case) for unseen data. Two types of methods exist to find the optimal values of hyperparameters: uninformed or informed.

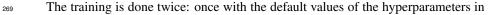
In uninformed methods, many combinations of hyperparameter values are tested one after the other and the best combination is the one that yields the lowest error on unseen data. The values of hyperparameters are either sampled randomly (random search) or sampled along a grid (grid search). In both cases, each combination tested are independent from another. With grid and random search, it is not guaranteed to find
the optimal set of hyperparameters and it usually requires a lot of iterations (combinations tested).

In informed methods, the results obtained by the past combinations are used to 243 choose the next combination to evaluate. Bayesian optimization algorithm is an in-244 formed method that aims to minimize an objective function, in our case the errors 245 of the machine learning algorithms on unseen data. First, it builds a probability model 246 (Gaussian process) of the objective function. Then it uses this surrogate model to select 247 the most promising values of hyperparameters to evaluate. Once the promising com-248 bination of values have been evaluated, the probability model is updated and searched 249 again for the most promising combination. This process is repeated several times. This 250 method is employed in this article because it is very efficient for tuning hyperparameter 25 values and it usually requires less iterations than uninformed methods (Bergstra et al., 252 2011). In-depth details of this method are given in the works of Snoek et al. (2012); 253 Marchant and Ramos (2012) and Shahriari et al. (2015). 254

255 2.6. Training the algorithms

The machine learning algorithms described above are trained to predict the deviations of H_s , T_p or θ_p (one model for each variable), using 6 input variables: the three wave parameters (H_s, T_p, θ_p) given by the numerical model, the atmospheric pressure, the wind direction and speed.

The neural networks are built and trained with the R package keras. The input vari-260 ables are centered and scaled to improve the result of neural networks and the weights 26 are updated with the adam optimization algorithm (Kingma and Ba, 2014). Random 262 forest and gradient boosting model are fitted in R using respectively the ranger pack-263 age which provide fast implementation of Random Forests (suited for high dimensional 264 data) and the xgboost package which is an efficient R implementation of the gradient 265 boosting framework from Chen and Guestrin (2016). The input variables are not cen-266 tered or scaled before the training of random forest and gradient forest because it does 267 not influence the training of these algorithms. 268



the R packages and once with the optimal values found with the Bayesian optimization method.

The best hyperparameter values are found by the means of Bayesian optimization 272 method coupled with a 5-fold cross validation in the training dataset. That is, the 273 training data are split into five equal-sized partitions and a machine learning model is 274 recursively built on four partitions (80% of the training data) with a given hyperpa-275 rameter combination. A performance metric, in our case the root mean square error is 276 assessed on the remaining partition (20% of the training data). The resulting five per-277 formance metrics are averaged to provide an estimated out-of-sample performance of 278 the respective hyperparameter combination. The objective function to minimize for the 279 Bayesian optimization method is the average out-of-sample performance value. The 280 Bayesian optimization for our data is performed using the R package RBayesianOpti-28 mization. First, random combinations of hyperparameter values are evaluated to serve 282 as search base for the informed method (5 in this study), then an acquisition function 283 (upper confidence bound) is used to find the next combination values to evaluate (this 284 step is repeated 25 times). 285

3. Results and Discussion

287 3.1. Model comparison

To assess the accuracy of the numerical model and the proposed corrections, sev-288 eral metrics are computed including the root mean square error (RMSE), the correlation 289 coefficient, the bias and the scatter index (SI). The bias represents the average error be-290 tween the observed and modeled data and allows one to detect under or over estimation 291 of the value of one parameter. The scatter index is a measure of the error normalized 292 by the observation values. It is a standard metric for wave model inter-comparison 293 (Londhe et al., 2016). More details about the computation of these two metrics can be 294 found in the work of Mentaschi et al. (2013). The metrics are computed twice: once 295 with the whole test data and once with a subset of the test data where $H_s > 3m$ because 296 the underestimation of H_s is known to become larger above this height (Arnoux et al., 297 2018). 298

	Hs			Тр				θ_p				
	Numerical	Ann	Rf	Gb	Numerical	Ann	Rf	Gb	Numerical	Ann	Rf	Gb
	model	Corr.	Corr.	Corr.	model	Corr.	Corr.	Corr.	model	Corr.	Corr.	Corr.
					Compute	d with all	data					
Biais	-0.201	0.005	-0.002	-0.004	0.712	0.002	-0.026	0.005	-0.249	0.698	0.976	0.76
RMSE	0.399	0.306	0.248	0.267	1.839	1.603	1.282	1.388	13.803	12.391	9.749	10.64
SI	0.166	0.148	0.120	0.129	0.153	0.145	0.116	0.125	0.045	0.041	0.032	0.03
Cor	0.954	0.962	0.975	0.972	0.78	0.804	0.880	0.857	0.330	0.366	0.455	0.38
					Computed with	data whe	re $H_s > 3$	т				
Biais	-0.536	-0.156	-0.124	-0.126	0.683	-0.026	-0.090	-0.041	1.925	-0.561	0.052	0.04
RMSE	0.766	0.515	0.420	0.433	1.348	1.083	0.956	1.022	7.351	5.769	4.449	4.93
SI	0.133	0.120	0.098	0.101	0.089	0.083	0.073	0.078	0.024	0.019	0.015	0.01
Cor	0.818	0.857	0.902	0.898	0.832	0.850	0.886	0.869	0.589	0.604	0.790	0.72

Table 1: Statistical metrics for the three variables of interest before the hyperparameter tuning. "Ann" stands for artificial neural networks, "Rf" for random forest and "Gb" for gradient boosting tree.

Table 1 presents the metrics obtained with no assimilation (numerical model) and after a preliminary data assimilation with the three machine learning algorithms. The term "preliminary" refers to the lack of hyperparameter tuning. The learning has been done using the default hyperparameter values given in table 2.

For significant wave height, the numerical model shows a negative bias. This indi-303 cates that the MFWAM model has a tendency to underestimate H_s such as other wind 304 wave models (Moeini et al., 2012; Arnoux et al., 2018). The negative bias increases as 305 the value of H_s becomes larger ($H_s > 3m$), meaning that H_s is more likely to be under-306 estimated during energetic events. For the peak period, the numerical model shows a 307 positive bias. When $H_s > 3m$, the bias and the RMSE for this parameter are smaller. 308 The predictions of T_p are therefore better during energetic conditions. For wave di-309 rection, a small bias is observed in average and is greater when the waves are larger. 310 The large difference in RMSE computed with data where $H_s > 3m$ and with all data is 311 explained by the distribution of the wave direction according to the wave height. When 312 the significant wave height is below 2 meters, the wave direction at the buoy is more 313 variable (Figure S1, supplementary material) and the spectral wave model has more 314 difficulties to predict correctly the direction. This can be confirmed by looking at the 315 θ_p errors of the numerical model: we see that they are larger and occur more often 316

when $H_s < 2m$ (Figure S2, supplementary material). A potential explanation of this phenomenon could be that below 2 meters, the sea state is more likely to be influenced by local wind conditions which are difficult to reproduce by the spectral wave model (Rascle and Ardhuin, 2013). When the significant wave height is above 2 meters, the wave directions are a lot less variable and the predictions of the spectral wave model are more accurate.

When we look at the metrics computed with all data, we see that the correction 323 made by the three machine learning algorithms removes the bias and greatly reduces the 324 RMSE and the scatter index for H_s and T_p . For θ_p , the mean bias is slightly larger after 325 data assimilation for all algorithms. The correction of the machine learning algorithm 326 could be less efficient for θ_p due to the high variability of the observed deviations 327 they try to model (see the explanation in the paragraph above). However, lower value 328 of RMSE and scatter index and larger correlation coefficients still indicate that the 329 corrected data are closer to the observed values at the buoy. 330

For the metrics computed with data where $H_s > 3m$, the correction does not remove the bias for H_s and T_p but reduces it greatly. For the wave direction, the updated parameters are closer to the reality. Indeed, bias and RMSE obtained by the corrections are smaller than the numerical model and the correlation coefficients are larger for corrected data.

For this preliminary assimilation, random forest yields the best results for all the parameters. It reduces the RMSE values computed with all test data by 37.7%, 30% and 29% respectively for H_s , T_p and θ_p . Gradient boosting trees is close second and decreases the RMSE values by 33%, 24.5% and 22.8%. Finally, data assimilation with neural networks decreases the RMSE of H_s , T_p and θ_p by 23%, 12.8% and 10.2%.

As stated earlier, the performance of machine learning algorithms might depend on the choice of the hyperparameter values. The Bayesian optimization was therefore performed and optimal values were selected (Table 2). The selected hyperparameter values are quite different from the default values. Indeed, for neural networks, the best results were obtained with more epochs and more neurons in the hidden layer. For random forest, only the number of trees seems to have some effect on the results and models with a large number of trees performs better. Finally, for gradient boosting

Machine learning algorithms	Hyperparameters	Default value	Range searched	Selected value for Hs	Selected value for Tp	Selected value for Dir
Neural networks	No. of units in hidden layer	$13(2 \times h + 1)$	{1-40}	26	20	40
	Activation function	sigmoid	{relu,sigmoid,tanh}	sigmoid	sigmoid	relu
	Learning rate	0.001	{0.0001-0.1}	0.021	0.016	0.005
	Epochs	30	{10,30,50,100,150}	50	100	150
	Batch size	32	{16,32,64,128}	32	64	64
Gradient Boosting	Number of trees	100	{100-2000}	560	1150	1990
trees	Learning rate	0.3	{0.0001-0.3}	0.072	0.028	0.069
	Max depth	6	{1-20}	14	20	20
	Minimal node size	1	{1-15}	7	1	1
	Subsample	1	{0.5-1}	0.57	0.82	0.79
	Col sample	1	{0.5-1}	0.99	0.85	0.9
Random forest	Number of trees	500	{100,200,500,800,1000}	1000	1000	1000
	Mtry	$2(\sqrt{h})$	{2-6}	2	2	2

Table 2: Default values, ranges and selected value of hyperparameters for the machine learning algorithms

Note: h corresponds to the number of input variables (6 in our case).

trees, models with a large number of trees and a small learning rate are preferred.

Metrics calculated with data corrected by the tuned machine learning algorithms 349 are presented in Table 3. Overall, tuning the hyperparameter values has improved the 350 results of all the algorithms. However, the degree of improvement differs depending 35 on the algorithm. We observe the smallest improvements for random forest where the 352 RMSE of every parameters seems to decrease by less than 1% in average. For neural 353 networks, tuning hyperparameter values has a more significant effect by reducing the 354 RMSE by 2 to 3% in average. The largest effect of tuning the hyperparameters are ob-355 served with gradient boosting trees. The RMSE is 8 to 11% lower for every parameter. 356 The only exception is θ_p computed with all data where we have a small increase (2%) 357 of RMSE. In general, the mean bias for H_s , T_p and θ_p remains the same before and 358 after hyperparameter tuning expect for the bias of H_s computed when $H_s > 3m$ which 359 is significantly lower after the tuning. 360

For this dataset, gradient boosting algorithm shows the best performances for all parameters. Assimilation with this algorithm decreases the RMSE values computed with all test data by 39.8% for H_s , 33% for T_p and 31% for θ_p . For H_s and θ_p , the reduction are even lower for the RMSE values computed with $H_s > 3m$: 47% for

	Hs			Тр			θ_p					
	Numerical	Ann	Rf	Gb	Numerical	Ann	Rf	Gb	Numerical	Ann	Rf	Gb
	model	Corr.	Corr.	Corr.	model	Corr.	Corr.	Corr.	model	Corr.	Corr.	Corr.
					Computed	l with all	data					
Biais	-0.201	0.026	-0.002	-0.001	0.712	0.007	-0.022	0.003	-0.249	0.790	0.979	0.714
RMSE	0.399	0.300	0.246	0.240	1.839	1.553	1.269	1.231	13.803	12.07	9.646	9.50
SI	0.166	0.144	0.118	0.116	0.153	0.140	0.114	0.111	0.045	0.04	0.032	0.03
Cor	0.954	0.964	0.976	0.977	0.78	.817	0.882	0.889	0.330	0.36	0.461	0.42
				C	Computed with	data whe	ere $H_s > 3$	m				
Biais	-0.536	-0.117	-0.120	-0.099	0.683	0.032	-0.084	-0.051	1.925	-1.114	0.062	0.056
RMSE	0.766	0.495	0.417	0.404	1.348	1.064	0.950	0.943	7.351	5.820	4.412	4.36
SI	0.133	0.117	0.097	0.095	0.089	0.081	0.072	0.072	0.024	0.019	0.015	0.01
Cor	0.818	0.861	0.903	0.908	0.832	0.856	0.888	0.889	0.589	0.609	0.793	0.79

Table 3: Statistical metrics for the three variables of interest after the hyperparameter tuning."Ann" stands for artificial neural networks, "Rf" for random forest and "Gb" for gradient boosting tree.

the significant wave height and 40% for wave direction. The performances of random 365 forest for H_s , T_p and θ_p are slightly better than the results obtained before tuning the 366 hyperparameters: respectively 38.3%, 30.9%, 30.1%. The performances are also bet-367 ter for neural networks after hyperparameter tuning: it decreases the RMSE values by 368 24.8% for H_s , 15.5% for T_p and 12.5% for θ_p . The differences in efficiency between 369 neural networks and ensemble learning techniques could be explained by the architec-370 ture chosen for the neural networks. Indeed, this work shows the results for multilayer 37 perceptrons with only one hidden layer which is the typical choice in the literature 372 (Londhe et al., 2016; Moeini et al., 2012). By choosing an architecture with more hid-373 den layers, the networks might be able to model more complex phenomena and bring 374 a better improvement for the three wave parameters. 375

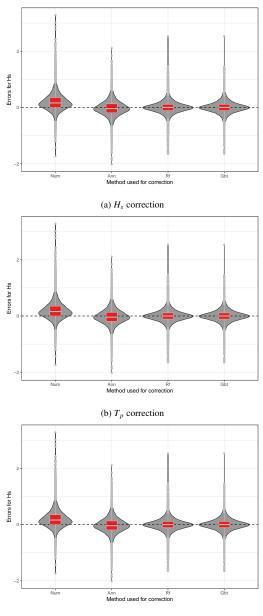
The distribution of the errors after the different corrections are presented in the figure 2. For all wave parameters, the distributions of the errors after a correction have narrowed and are now more centered in zero. The differences in performance between algorithms are confirmed with these violin plots. Indeed, when the correction is made with random forest or gradient boosting trees, the distributions of the errors are more narrow than the distributions of the errors obtained with neural networks. The difference in efficiency between random forest and gradient boosting trees is not distinguishable graphically. It is expected as the metrics of the two algorithms only differ by a few percents. For H_s and T_p , the corrections have also removed the bias observed for numerical model. The large errors of θ_p for the numerical model (Figure ??) are observed when $H_s < 2m$ and are not corrected by the machine learning algorithms. Figures showing the observed values versus the corrected values are available in the supplementary material for the three wave parameters.

389 3.2. Predictive power of the input variables

In addition to their performance, random forest and gradient boosting algorithms 390 can provide a measure of importance for each variable used as input. This importance 39' indicates the predictive power of the variable. It can be used to sort variable from most 392 to least predictive, allowing one to have more insight on the problem and to perform 393 feature selection when there are too many input variables. The figure 3 shows the 394 importance measure of each variable computed by the random forest depending on the 395 parameter to improve. For H_s and T_p , the most important variables are the value of 396 H_s and T_p modeled by the wind wave model. It is different for the direction where 397 the most important variables are the value of θ_p and H_s given by the model. The 398 predictive power of local meteorological variables is quite low, suggesting that local 399 and instantaneous meteorological variables does not bring valuable information in the 400 assimilation process. The wind wave formation process is not instantaneous and occurs 401 in large regional scale, therefore using meteorological variables from the past (several 402 days before) and from different locations (located in the ocean) could lead to a better 403 predictive power which means better updated wave predictions. 404

405 3.3. Example of application

To investigate the potential effect of the different corrections in a real case scenario, the extreme wave run-up $R_{2\%}$ at the Grande Plage de Biarritz has been computed for the test period with the Stockdon formula (Stockdon et al., 2006) which uses H_s and T_p and the beach slope as parameters. The beach slope is fixed to 8% according to the work of Morichon et al. (2018). Using the extreme wave run-up calculated with the buoy data as reference, the metrics presented previously have been computed for the numerical



(c) θ_p correction

Figure 2: Distribution of the errors computed between values observed at the buoy and values corrected or not with the different machine learning algorithms. "Num" stands for numerical model (no correction), "Ann" for artificial neural networks, "Rf" for random forest and "Gb" for gradient boosting trees. The horizontal lines in the red boxplots represent from top to bottom: the third quartile, the median and the first quartile.

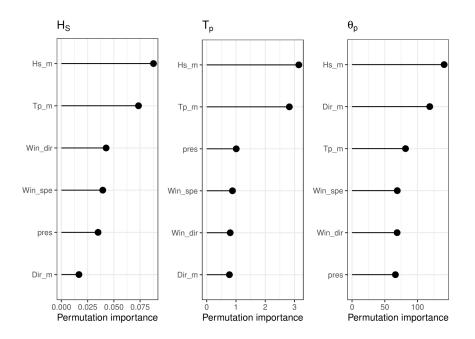


Figure 3: Variable importance for the correction of the three wave integrated parameters.

model and the different corrections (Table 4). From this table, it is evident that the data 412 corrected with machine learning algorithms provide wave run up values that are closer 413 to the "real" values with lower RMSE, Scatter index and greater correlation coefficient. 414 Although the bias remains, the correction made by the gradient boosting tree algorithm 415 decreases the RMSE of the extreme wave run-up by 22% (for all data and data where 416 $H_s > 3m$). Random forest shows almost the same reduction of RMSE values: 21.5% 417 for all data and 20.7% for data where $H_s > 3m$. The correction obtained by neural 418 networks is less efficient: it reduces the RMSE computed with all data and data where 419 $H_s > 3m$ by 6.2 and 9.9% respectively. 420

421 **4.** Conclusion

In this work, random forest and gradient boosting trees were employed for the first time in the error prediction method. These ensemble learning techniques based on decision trees performed better than neural networks for improving the wave forecast of the Basque Coast. The correction made by gradient boosting trees yielded the best

Table 4: Statistical metrics of the R2% calculated with Stockdon's formula. These results are obtained by taking the R2% computed with buoy data as reference. "Ann" stands for artificial neural networks, "Rf" for random forest and "Gb" for gradient boosting tree.

	Numerical	Ann	Rf	Gb	
	model	Corrected	Corrected	Corrected	
	Con	mputed with a	all data		
Biais	0.003	0.019	0.002	0.003	
RMSE	0.223	0.209	0.175	0.172	
SI	0.145	0.136	0.114	0.112	
Cor	0.943	0.950	0.965	0.966	

Computed w	ith data	where	Hs >	3m
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Biais	-0.042	-0.030	-0.054	-0.042
RMSE	0.313	0.282	0.248	0.242
SI	0.119	0.108	0.093	0.092
Cor	0.854	0.862	0.897	0.901

results for all the wave parameters: it reduced the RMSE values by nearly 40% for H_s , 33% for T_p and 31% for θ_p . The reduction of RMSE values for random forest was only a few percents lower than gradient boosting trees. The corrections made by neural networks were significant but yielded reductions in RMSE not as high as the two ensemble learning techniques: 24.8% for H_s , 15.5% for T_p and 12.5% for θ_p .

As expected, tuning the hyperparameters of the machine learning algorithms had a 431 positive effect on the final results. However, the effect of the tuning differed depending 432 on the algorithms. Indeed, random forest was less affected as it only reduced the RMSE 433 values by 1% in average. The tuning had more effect on neural networks reducing the 434 RMSE values by 2 to 3%. Gradient boosting tree algorithm was the most affected by 435 hyperparameter tuning as the results were improved by 8 to 11% in average. One of 436 the main advantage of random forest over gradient boosting trees is that it doesn't need 437 this tuning step in order to yield great results. This is not negligible as hyperparameter 438 tuning step can be time consuming and computationally demanding depending on the 439 complexity of the search (number of hyperparameters). 440

Contrary to neural networks, Random forest and Gradient boosting trees provided 441 valuable insights by giving the predictive power of each input variable. The predictive 442 power of variable brings interpretability to the model and can give a better understand-443 ing of the variable we try to predict. For example, we know that the significant wave 444 height modelled by the numerical wave model was the most important variable in the 445 correction of the three parameters. In cases where there are a lot of input variables, 446 knowing their associated predictive power helps developing more parsimonious models by keeping the pertinent variables and subtracting the less informative ones from 448 the model. 449

The error prediction method has proven to be useful in improving wave forecast. This had an impact in a real life application by improving the accuracy of the extreme run-up computed at the Grande Plage de Biarritz. Here again the corrections brought by random forest and gradient boosting tree were better than the correction made by neural networks. The decrease in RMSE values was around 22% for the two ensemble techniques and 6.2% for the neural networks. Even though the differences in performance might not appear significant, it can make a difference when using these corrections in an early warning system. It is especially true when dealing with storm events where H_s and T_p are large.

The differences between machine learning algorithms observed in this article are specific to Biarritz site. The results might differ for another study site. Therefore, we can only advise to test and compare several machine learning algorithms to find the optimal one associated with the site of interest.

Finally, the assimilation made in this study did not account for the temporal aspect 463 in the errors of the numerical model, it only corrected systematic errors of the wave 464 model. In the future, this work could be extended by adding input variables containing 465 temporal aspect. This could be the values of a modeled parameter at previous time steps 466 such as the work of Londhe et al. (2016). In this framework, neural networks could 467 perform better as they are known to handle efficiently time series. Other input variables 468 could be also used to improve the wave forecast such as the meteorological data from 469 the past or at different locations. Because the success of the error prediction method 470 depends on the quantity of data, it would be also interesting to perform a sensitivity 471 analysis on the quantity of data used in the training process. This could give us some 472 insights on the minimal quantity of data required to obtain a desirable assimilation 473 procedure. 474

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481 Reproducibility

⁴⁸² Meteorological data used in this article are private and can not be provided by ⁴⁸³ the authors. However, the R code to perform the analysis and an example of data assimilation on wave forecast data (used in operational) are provided in this Github

485 repository.

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